

# Precision Measurements, Small Crosssections, and Non-Standard Signatures: The Learning Curve at a Hadron Collider

Henry Frisch

Enrico Fermi Institute and Physics Dept  
University of Chicago

**Lecture 1: Introduction to Collider Physics**

Lecture 2: Tevatron Jets; W,Z, $\gamma$ ; Top, Bottom

Lecture 3:

- 1) Searching for the Higgs
- 2) Searching for Not-SM events
- 3) The Learning Curve at a Collider
- 4) Unsolved Problems

# Acknowledgements

- Thanks to many CDF and D0 colleagues whose work I'll show... Also SM MC generator folks (these are the heros- we need more of them!)
- Apologies to D0- I tend to show much more CDF than D0 as I know it much better (happy for help on this).
- Opinions, errors, and some of the plots are my own, and do not represent any official anything.

**Note-These lectures are frankly pedagogical-apologies to the experts in advance..**

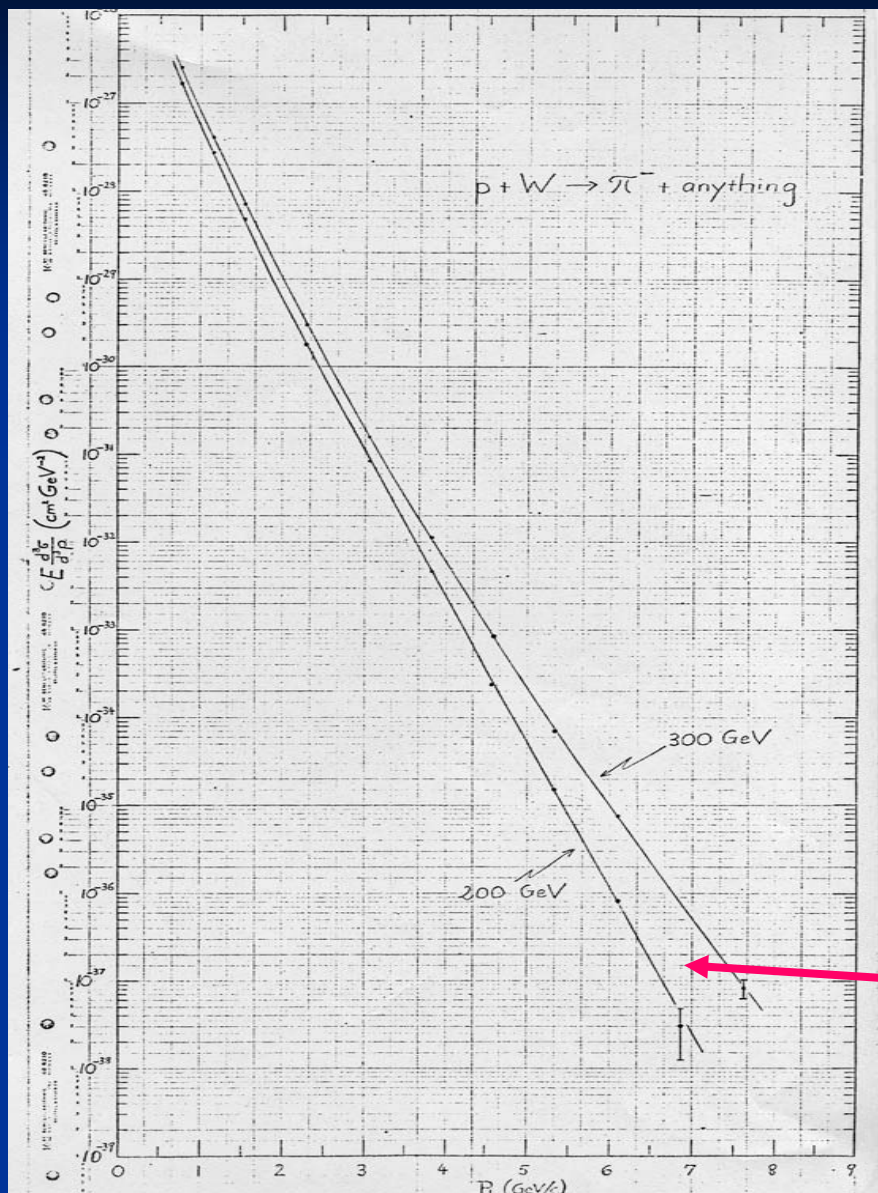
# Some topics woven in the lectures: (part of the hadron collider culture)

1. 'Objects' and their limitations (e.g. em clusters)
2. Fake rates and efficiencies ( $z=1$  limit and I-spin)
3. The rationale for signature-based searches
4. The problem of communicating experimental results in a model-independent way
5. The problem of Njets in W and Z production
6. Systematics-limiting variables
7. The doubling time: luminosity vs learning
8. The role of hardware in attracting/keeping young folks..

# Some Basics- Partons, Luminosity,..

- Before 1970, folk-wisdom was that  $d\sigma/dP_t$  fell like  $e^{-6P_t}$  – no interest in exploring  $P_t$  axis of the Peyrou plot. Changed with ISR and Fermilab high  $P_t$  pion production..
- Parton model was new- not clear what was source of high- $P_t$  pions- hard-scattering, CIM,..
- Jets and fragmentation - ‘fans’, or ‘pencils’?
- We know so much more now, but shouldn’t forget the lessons we learned along the way...

# E100 at Fermilab: 1970-77



First Results- 1972- see power-law behavior and energy dependence at large  $P_t$

BUT- ISR beat us to punch line (sadly, and barely)

Note energy-dependence at high  $P_t$ - evidence of hard scatters

# Telegram (sic) from Feynman

July 1976



Telefax

LSBOIT (0230) (2) UZEFJGDSZVLEFD UZEFJGDSZVLEFD

ICS IPHINA IISS

IISB FK NUI 19 0249

PME PASADENA CA

UWA1B71 PSX553 310384W 7290

UWXX CO FRXX 015

CHAMONIXMONTBLANC

RICK FIELD CALTECH

PASADENA/CALIF

SAW CRONIN AM NOW CONVINCED WERE RIGHT TRACK QUICK WRITE

FEY

NEAR

**SAW CRONIN AM NOW CONVINCED WERE RIGHT TRACK QUICK WRITE  
FEYNMAN**

# 1971 Berman, Bjorken, and Kogut

PHYSICAL REVIEW D

VOLUME 4, NUMBER 11

1 DECEMBER 1971

## Inclusive Processes at High Transverse Momentum\*

S. M. Berman, J. D. Bjorken, and J. B. Kogut†

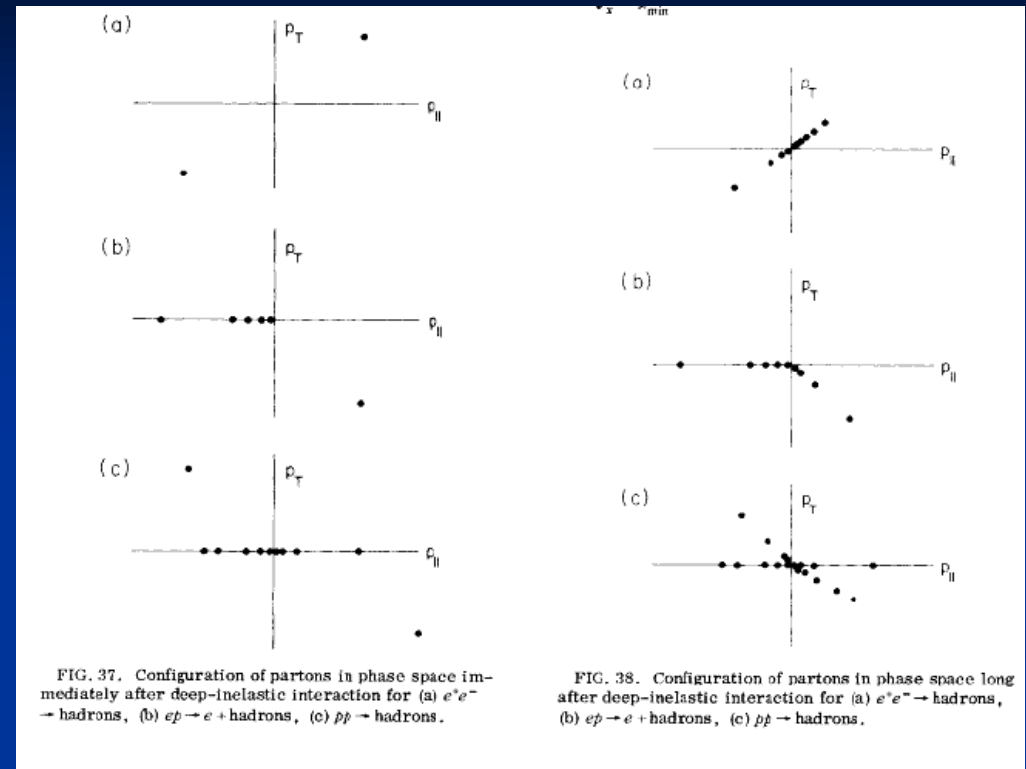
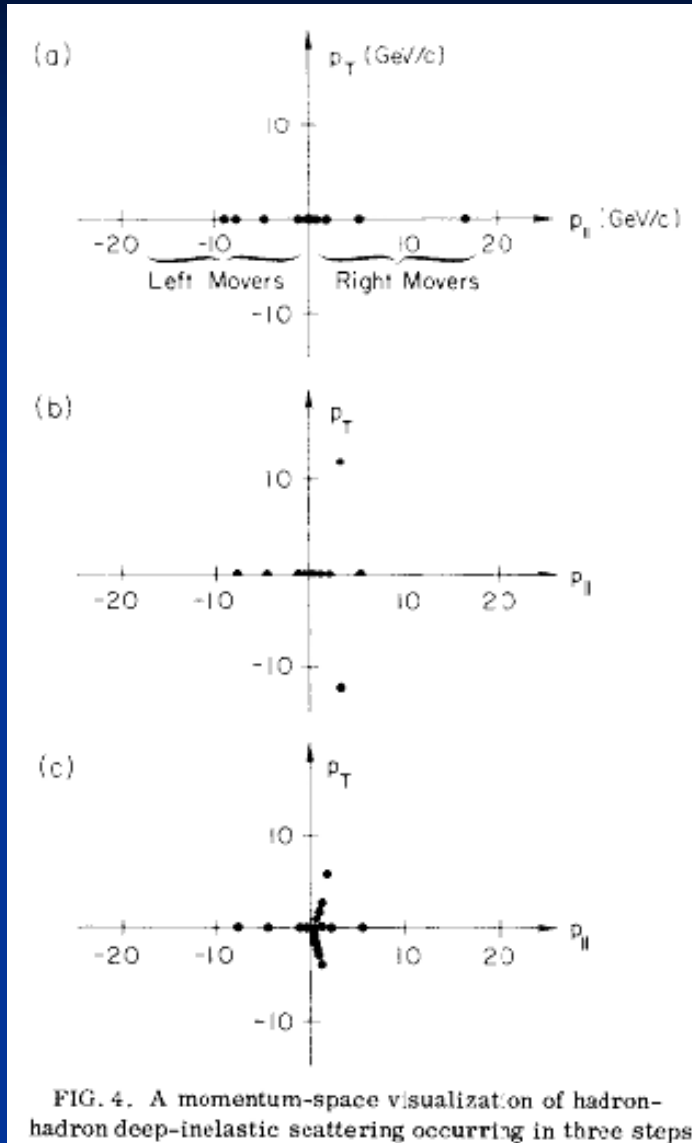
*Stanford Linear Accelerator Center, Stanford University, Stanford, California 94305*

(Received 5 August 1971)

We calculate the distribution of secondary particles  $C$  in processes  $A + B \rightarrow C + \text{anything}$  at very high energies when (1) particle  $C$  has transverse momentum  $p_T$  far in excess of 1 GeV/c, (2) the basic reaction mechanism is presumed to be a deep-inelastic electromagnetic process, and (3) particles  $A$ ,  $B$ , and  $C$  are either leptons ( $l$ ), photons ( $\gamma$ ), or hadrons ( $h$ ). We find that such distribution functions possess a scaling behavior, as governed by dimensional analysis. Furthermore, the typical behavior even for  $A$ ,  $B$ , and  $C$  all hadrons, is a power-law decrease in yield with increasing  $p_T$ , implying measurable yields at NAL of hadrons, leptons, and photons produced in 400-GeV  $pp$  collisions even when the observed secondary-particle  $p_T$  exceeds 8 GeV/c. There are similar implications for particle yields from  $e^+e^-$  colliding-beam experiments and for hadron yields in deep-inelastic electroproduction (or neutrino processes). Among the processes discussed in some detail are  $ll \rightarrow h$ ,  $\gamma\gamma \rightarrow h$ ,  $lh \rightarrow h$ ,  $\gamma h \rightarrow h$ ,  $\gamma h \rightarrow l$ , as well as  $hh \rightarrow l$ ,  $hh \rightarrow \gamma$ ,  $hh \rightarrow W$ , and  $W \rightarrow h$ , where  $W$  is the conjectured weak-interaction intermediate boson. The basis of the calculation is an extension of the parton model. The new ingredient necessary to calculate the processes of interest is the inclusive probability for finding a hadron emerging from a parton struck in a deep-inelastic collision. This probability is taken to have a form similar to that generally presumed for finding a parton in an energetic hadron. We study the dependence of our conclusions on the validity of the parton model, and conclude that they follow mainly from kinematics, duality arguments *à la* Bloom and Gilman, and the crucial assumption that multiplicities in such reactions grow slowly with energy. The picture we obtain generalizes the concept of deep-inelastic process, and predicts the existence of "multiple cores" in such reactions. We speculate on the possibility of strong, nonelectromagnetic deep-inelastic processes. If such processes exist, our predictions of particle yields for  $hh \rightarrow h$  could be up to 4 orders of magnitude too low, and for  $\gamma h \rightarrow h$  and  $hh \rightarrow \gamma$  up to 2 orders of magnitude too low.

Seminal Paper on Hadron Collider Physics- early days  
of the parton model

# 1971 Berman, Bjorken, and Kogut



## ACKNOWLEDGMENTS

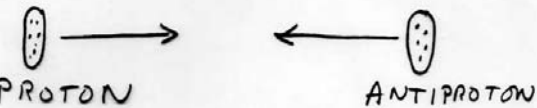
It is a pleasure to acknowledge a very helpful conversation with R. P. Feynman (who independently reached many of the same conclusions, in particular the factorization property discussed in Sec. IV). We also benefited from discussions with H. Harari and many colleagues at SLAC.



# Crosssection and Luminosity

## COLLISIONS, CROSS SECTIONS, AND LUMINOSITY

### COLLISIONS



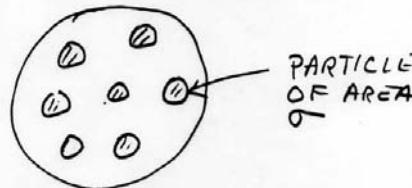
EACH MOVING AT A VELOCITY OF

$$\beta = v/c \cong 1 - \frac{1}{2\gamma^2} = 1 - \frac{1}{2(E/m)^2} = 1 - \frac{1}{2\left(\frac{900}{.938}\right)^2}$$

$\beta = .9999189$

### CROSS SECTION

IMAGINE A BEAM OF PARTICLES COMING HEAD-ON AT YOU



PROBABILITY OF HITTING A PARTICLE PER UNIT AREA OF BEAM IS PROPORTIONAL TO THE AREA OF A PARTICLE,  $\sigma$ .  $\sigma$  IS THE CROSS SECTION. (UNITS ARE  $\text{cm}^2$ )

NATURAL EXTENSION OF IDEA - PROBABILITY OF HITTING A PARTICLE AND MAKING A W BOSON IS ALSO EXPRESSED AS AN AREA.

### LUMINOSITY

DESIGN LUMINOSITY IS  $\mathcal{L} = 2 \times 10^{32} \text{ cm}^{-2} \text{ sec}^{-1}$

RATE OF COLLISIONS WITH A CROSS SECTION  $\sigma$  IS GIVEN BY:

$$\text{RATE} (\text{SEC}^{-1}) = \mathcal{L} (\text{CM}^{-2} \text{ SEC}^{-1}) \sigma (\text{CM}^2)$$

Example For  $\bar{p}p$  collisions,  $\sigma \sim 80 \text{ mb} = 80 \times 10^{-27} \text{ cm}^2$

$$\begin{aligned} \text{rate} &= 2 \times 10^{32} \text{ cm}^{-2} \text{ sec}^{-1} \cdot (80 \times 10^{-27} \text{ cm}^2) \\ &= 160 \times 10^5 \text{ sec}^{-1} = 16 \text{ million / sec.} \end{aligned}$$

Another example For W production,  $\sigma \sim 20 \text{ nb}$

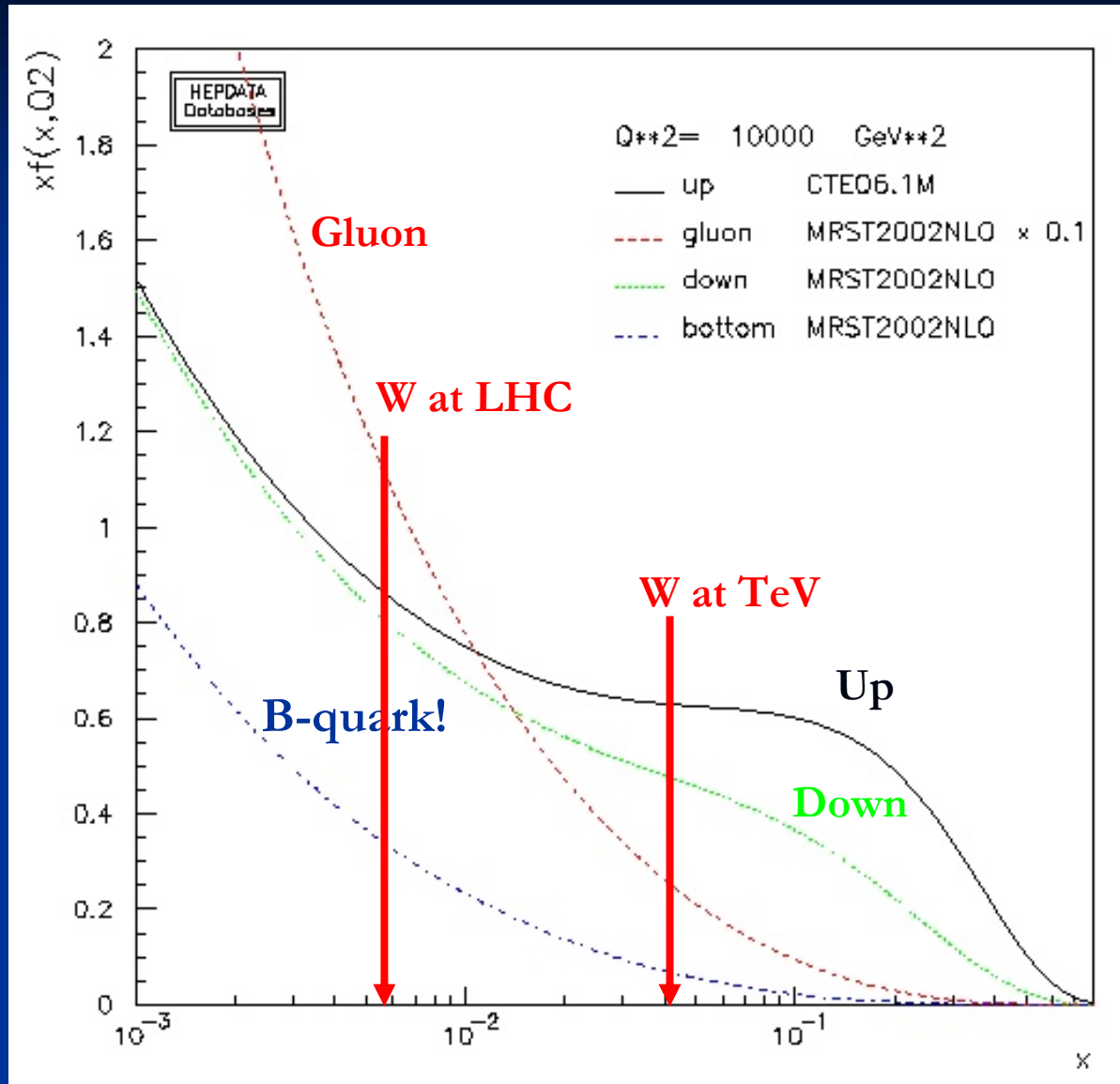
$$\begin{aligned} \text{rate (W)} &= (2 \times 10^{32} \text{ cm}^{-2} \text{ sec}^{-1}) (20 \times 10^{-33} \text{ cm}^2) \\ &= 40 \times 10^{-1} \text{ sec}^{-1} = 14,400 / \text{hour} \end{aligned}$$

### LAST THING

$$\mathcal{L} \propto \frac{f N_p N_{\bar{p}}}{A}$$

WHERE:  $f \equiv$  # OF TIMES/SEC BEAMS CROSS  
 $N_p =$  # OF PROTONS / BUNCH  
 $N_{\bar{p}} =$  # OF ANTI-PROTONS / BUNCH  
 $A =$  AREA BEAMS OVERLAP

# Parton Distribution Functions



Thanks to Joey  
Huston

# Parton-parton Collisions

Two simple equations contain much of the physics for the production of heavy states at a collider: the mass and longitudinal momentum of the heavy state (e.g. a  $W$ ,  $Z$ ,  $t\bar{t}$  pair, or  $WH$ ) are determined by the fraction of the beam momentum carried by the interacting partons. Note that for a heavy object typically has a velocity  $\beta \ll 1$ , even though the longitudinal momentum is typically not small (we're not in the c.m! of the collision.). Note also that the transverse momentum of the system is determined by the competition of falling parton distribution functions (PDF's- also known as structure functions) as the total invariant mass of the system rises, and the increase in phase space as the momentum of the system increases. The production thus peaks with a total system energy above threshold by an amount characteristic of the slope in  $x_1 * x_2$ .

$$m^2 = x_1 * x_2 s \qquad p_z = (x_1 - x_2)p_{beam} \qquad (1)$$

# The Peyrou Plot: $P_T$ vs $P_{\text{Long}}$ ; Rapidity, Pseudo-rapidity

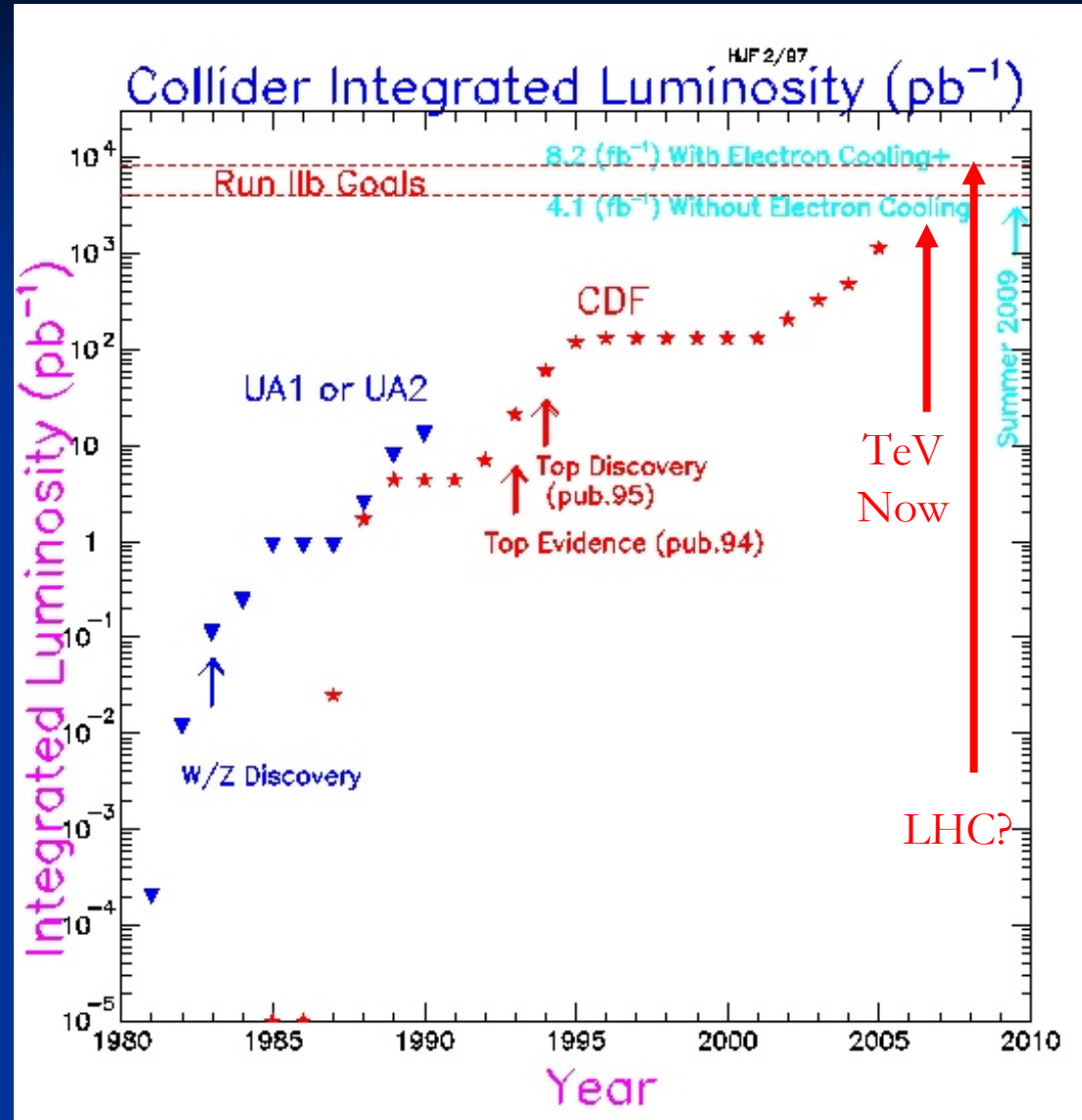
The phase space for particle production at a hadron collider is traditionally described in cylindrical coordinates with the  $z$  axis along the beam direction, the radial direction called 'transverse', as in 'Transverse Momentum' ( $p_T$ ), and the polar angle expressed as Pseudo-rapidity  $\eta$ , where  $\eta \equiv -\ln(\tan\theta/2)$ . Pseudo-rapidity is a substitute for the Lorentz-boost variable,  $y$ , where  $y \equiv 1/2\ln(E + p_z)/(E - p_z) \equiv \tanh^{-1}(p_z/E)$ . Since in most cases one does not know the mass of a particle produced in a hadron collision (most are light- pions, kaons, baryons,..), we use pseudo-rapidity. (This is a common trap when doing complex kinematics with W's, Z's, and top, where the mass truly matters).

Note that typical particle production is 4-6 particles per unit-rapidity; in the central region one unit at CDF is about  $14 m^2$ ; the density in a min-bias event is very low. Hadron colliders are not intrinsically 'dirty'- only complex.

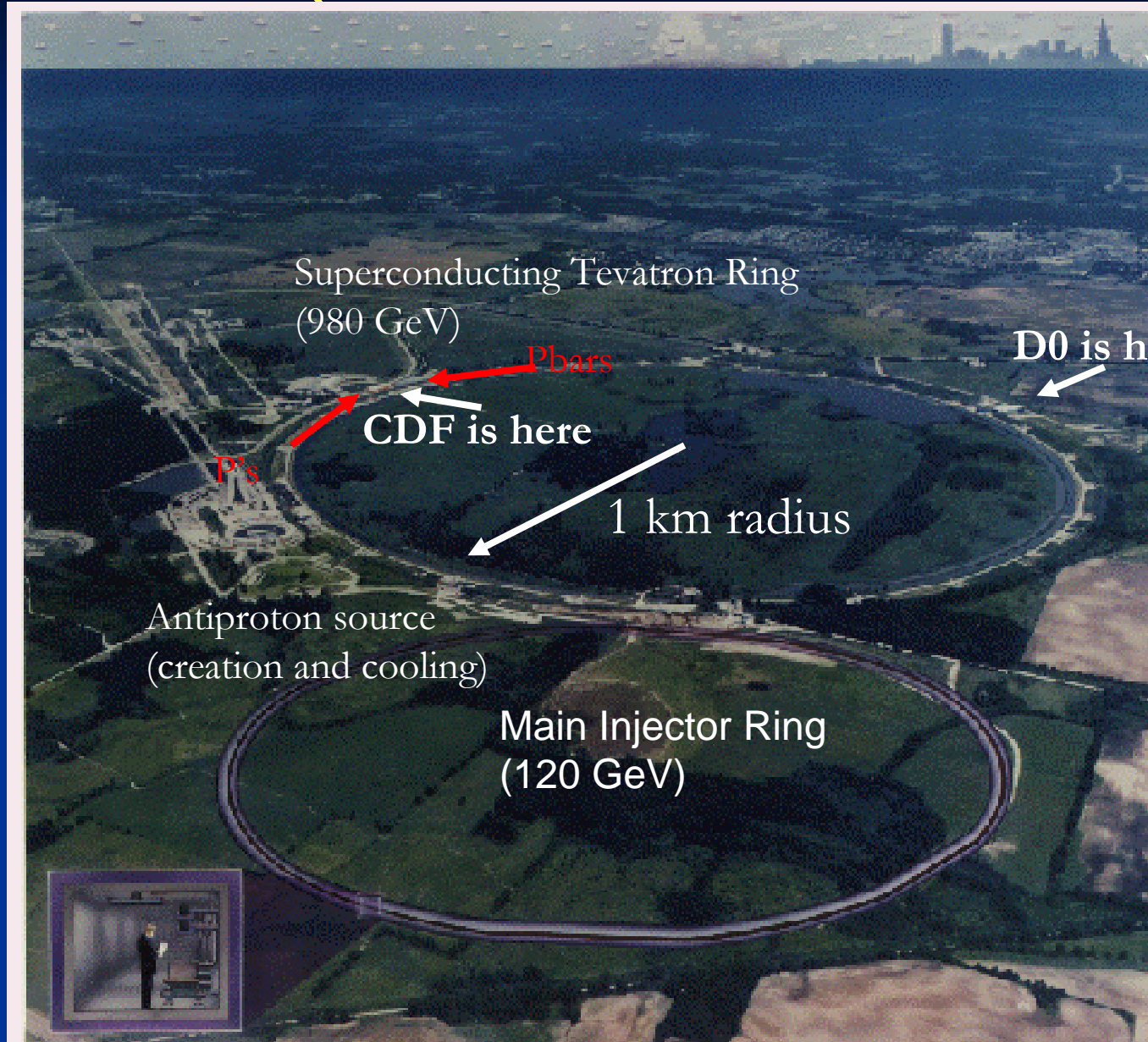
# Orders of Magnitude in Lum vs time

Race of SppS  
and Tevatron for  
the W and Z;  
then for top; now  
with LHC for  
....?

(note date on slide-  
1997- 10 yrs ago)



# Fermilab (40 miles west of Chicago)



Sears Tower  
(downtown  
Chicago)

D0 is here

Superconducting Tevatron Ring  
(980 GeV)

Pbars

CDF is here

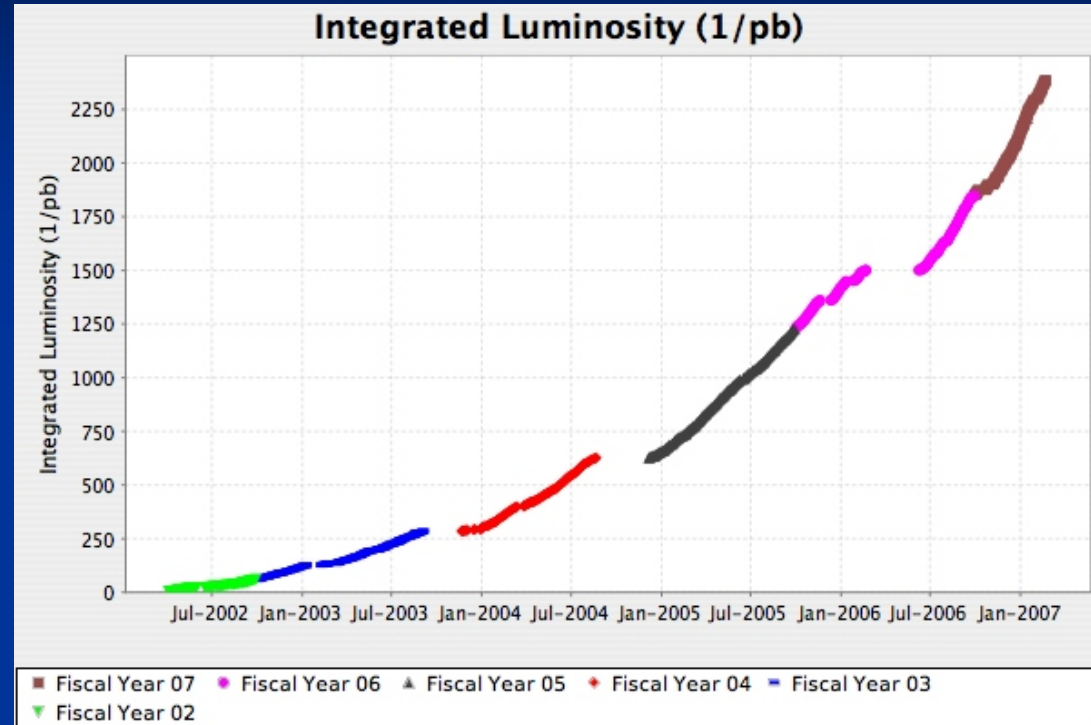
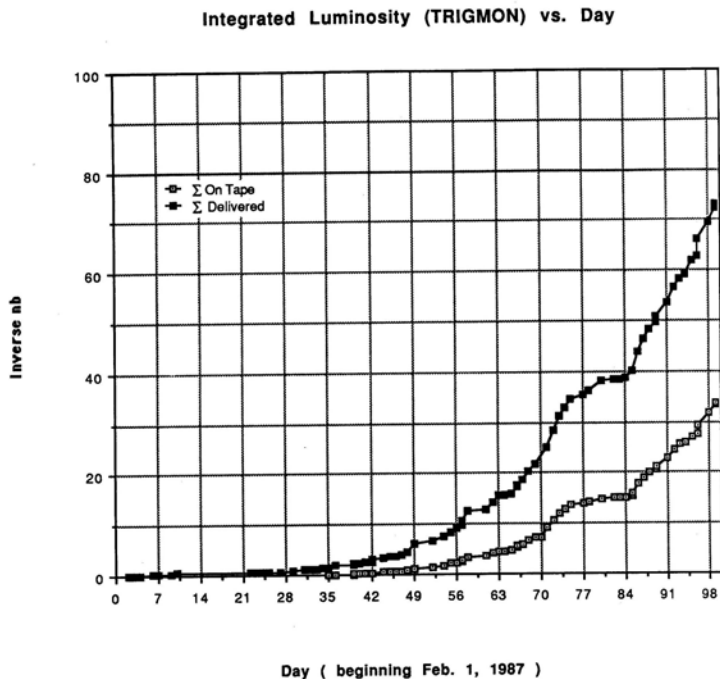
1 km radius

Antiproton source  
(creation and cooling)

Main Injector Ring  
(120 GeV)

# Tevatron Startups: 1987 & 2007

(Recent interest wrt LHC- may or may not be relevant to LHC startup)

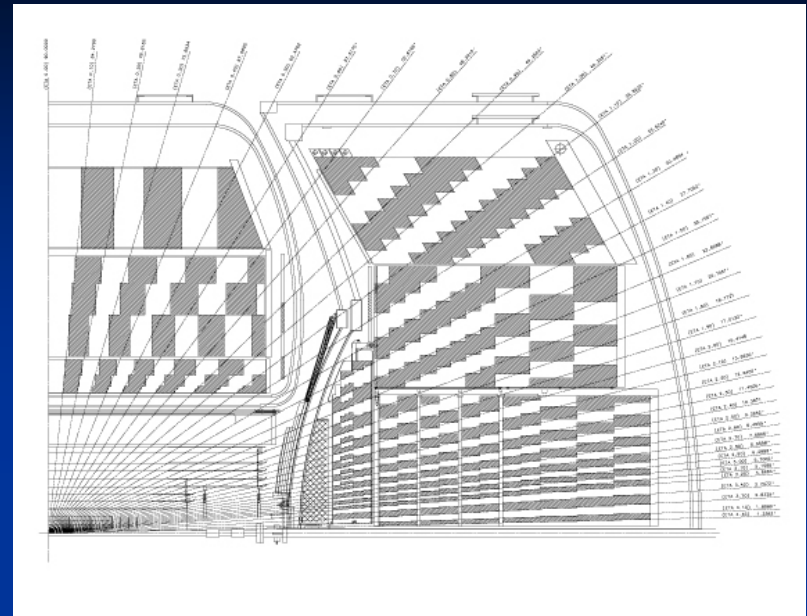
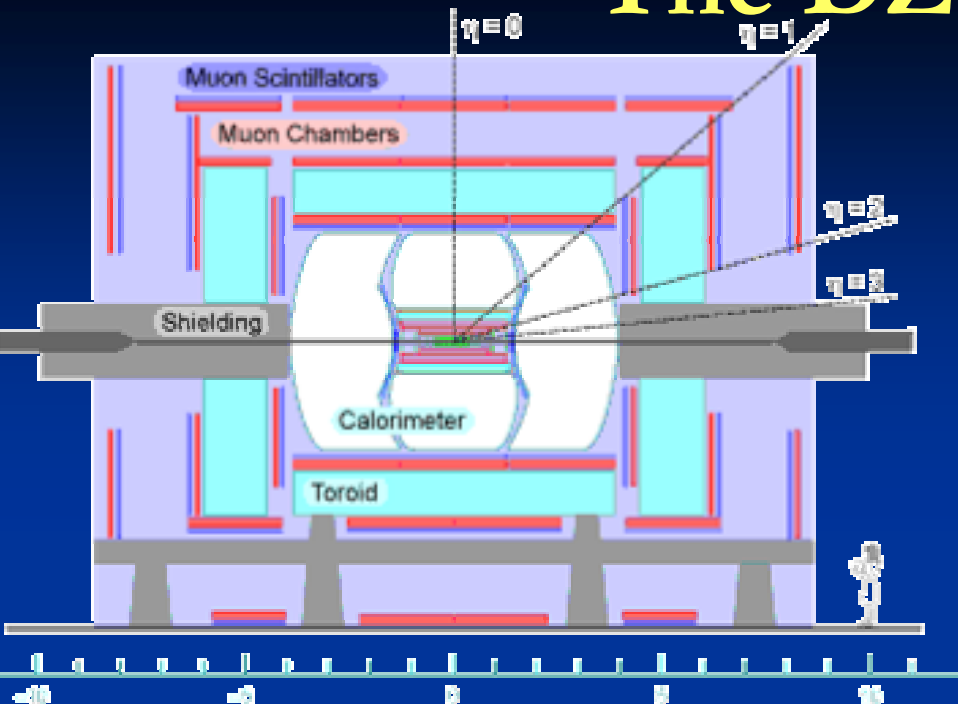


1987: In nanobarns

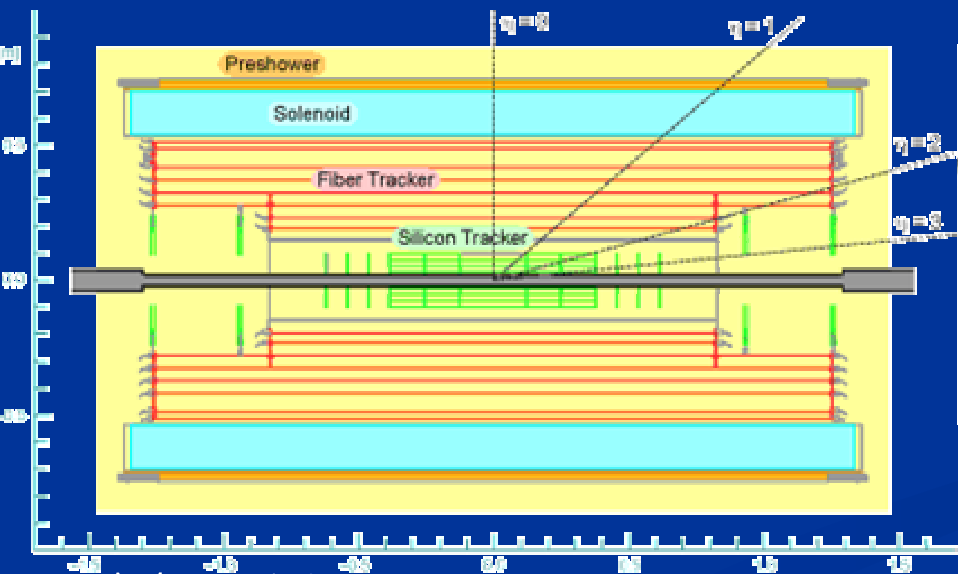
2007: In picobarns

LHC is a different beast, but the positive 2<sup>nd</sup> derivative vs time is deeply fundamental  
The accelerator guys continue learning and improving- lum grows faster and faster...

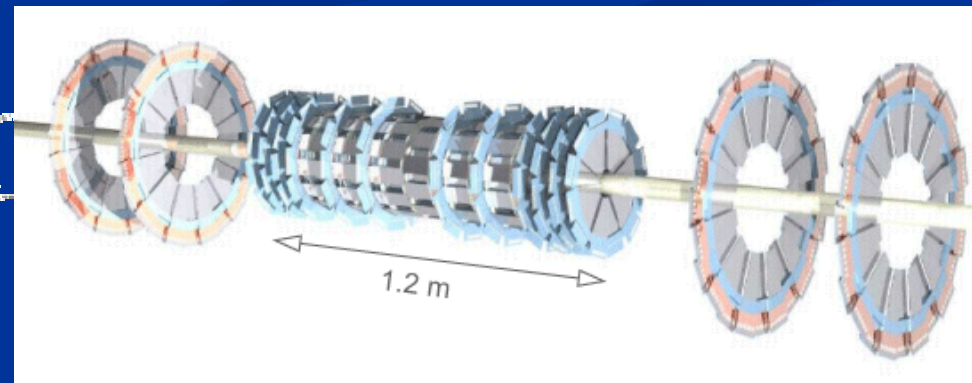
# The DZero Detector



Calorimeter



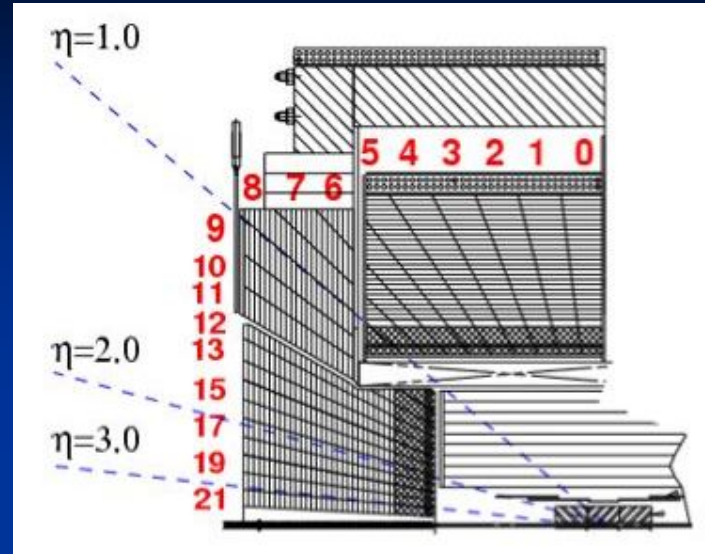
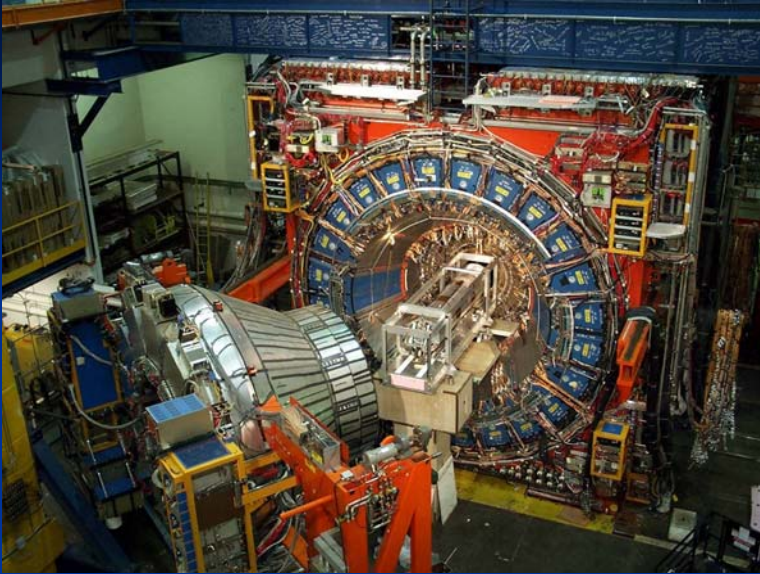
Tracking



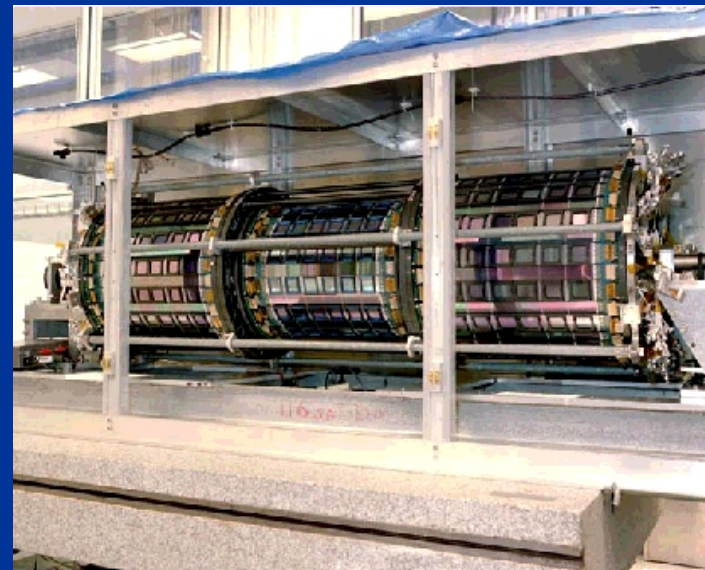
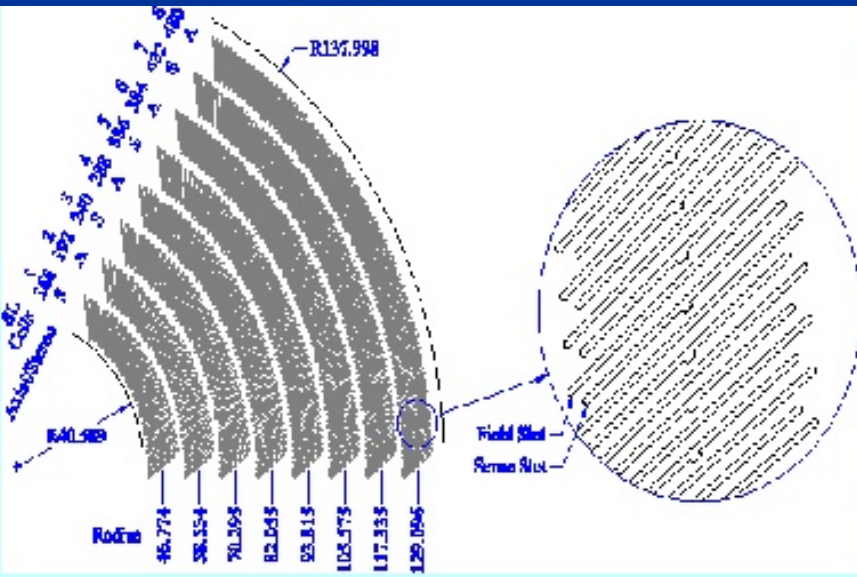
Silicon



# CDF Detector (5000 Tons)



EM,  
Had,  
with  
embedd  
ed 1  
plane of  
MWCP  
at  $6X_0$



Tracking: 8 Layers of 12 sense wires

Silicon: L0,5SVX,2ISL layers

# Particle Identification

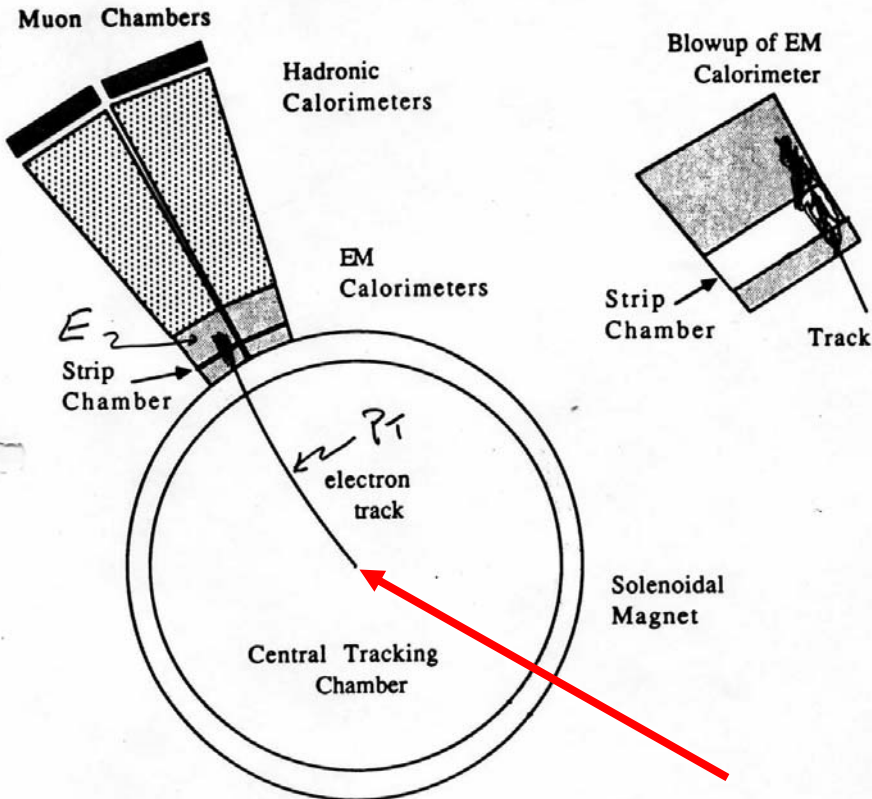
- Charged Leptons- particularly the  $e$  and  $\mu$  are how we trigger on the  $W$  and  $Z$ - and hence the top ( $t \rightarrow Wb$ ), SUSY (charginos, neutralinos), ..
- Neutral leptons- neutrinos- partially ID's by MET
- Heavy flavor- charm, bottom, is identifiable by lifetime- CDF can trigger on displaced vertices
- Photons identified by no em cluster, no track
- Taus identified surprisingly well
- At low  $P_t$  can separate  $\pi$ ,  $K$ ,  $p$  by TOF and  $dE/dx$
- All else lumped into 'jets' or hadrons

# Electron Identification

# Muon Identification

Credit: Sacha Kopp, undergrad

Schematic View of an Electron in the CDF Central Calorimeter

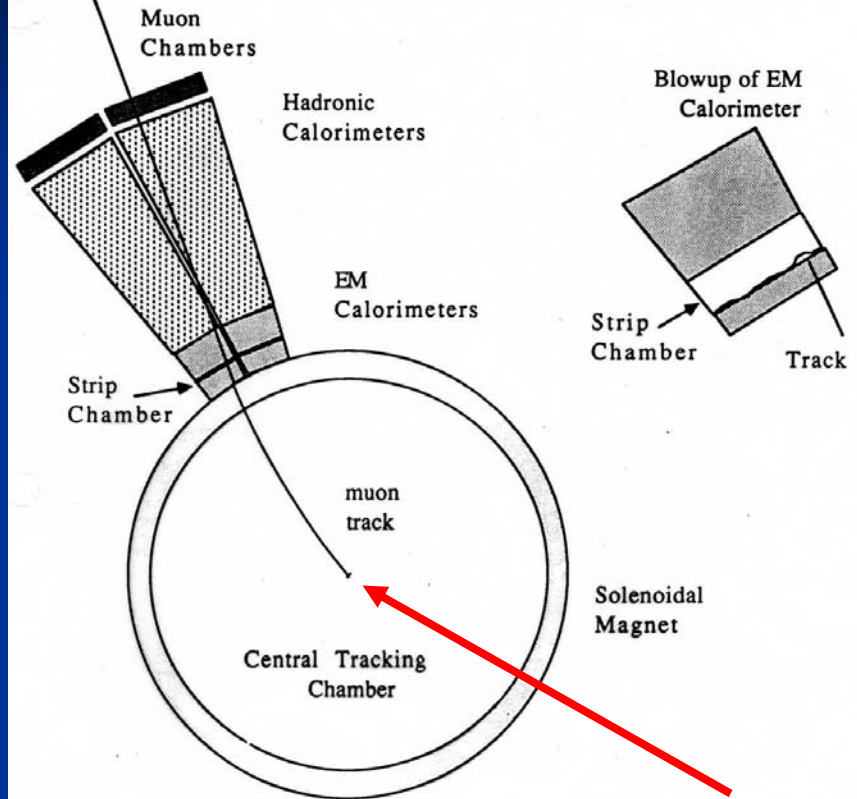


CDF Central Electron Variables:

- $E_T$
- Had/EM
- Lateral Sharing (LSHR)
- Strip  $\chi^2$
- Strip-Track Match ( $\delta x, \delta z$ )
- E/P
- Isolation/Border Tower Energy

Identification variables-

Schematic View of a Muon in the CDF Central Calorimeter

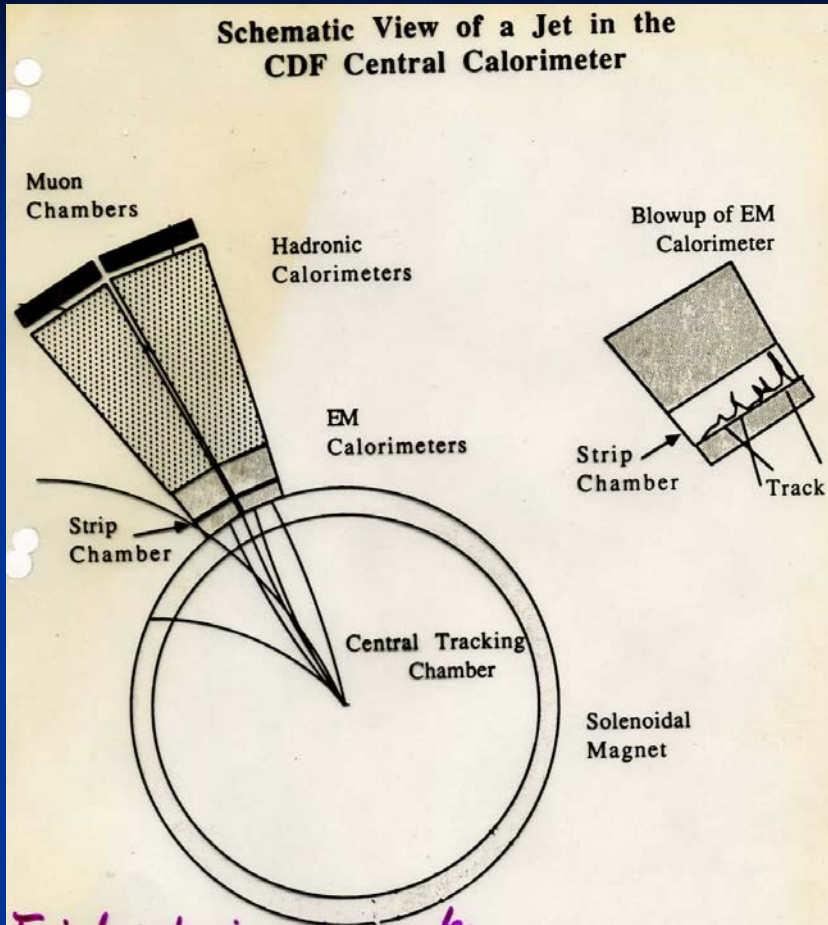


CDF Central Muon Variables:

- $P_T$
- EM
- Had
- Muon Chamber-Track Match ( $\delta x, \delta z$ )
- Slope Match
- Isolation

widely-used jargon

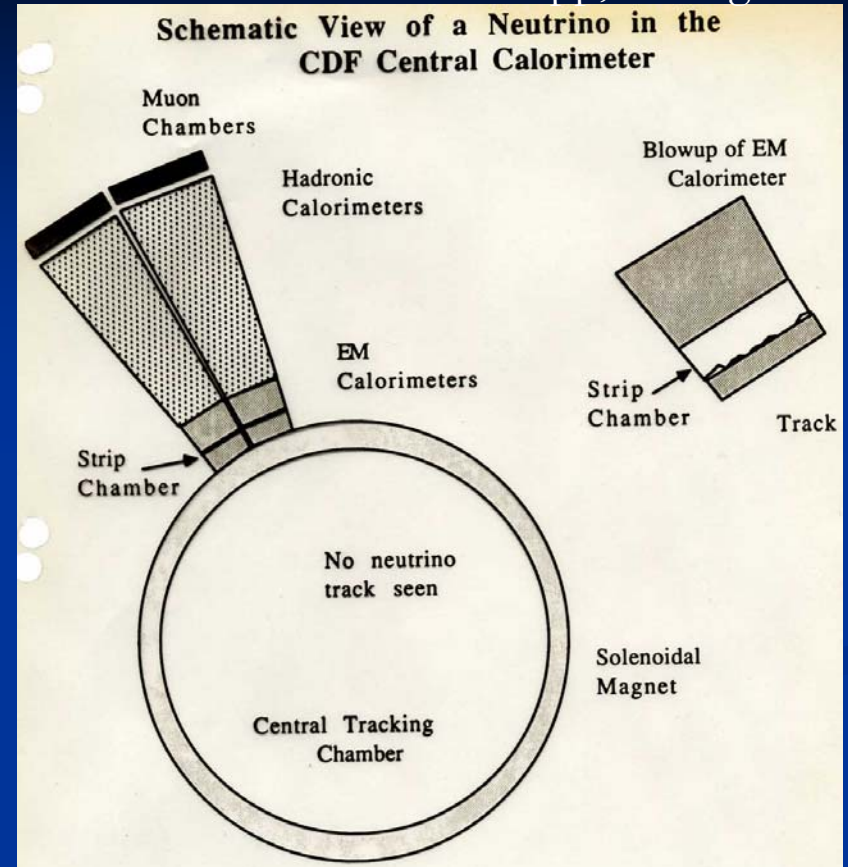
# Jet Identification



Find jets in calorimeter  
 Fixed cone alg. in  $\Delta\eta - \Delta\phi$   
 $\Delta R = 0.7$   
 Seed  $\eta_{max} = 1.0$   $\Delta\eta$ , shoulder = 0.16

# Neutrino Identification

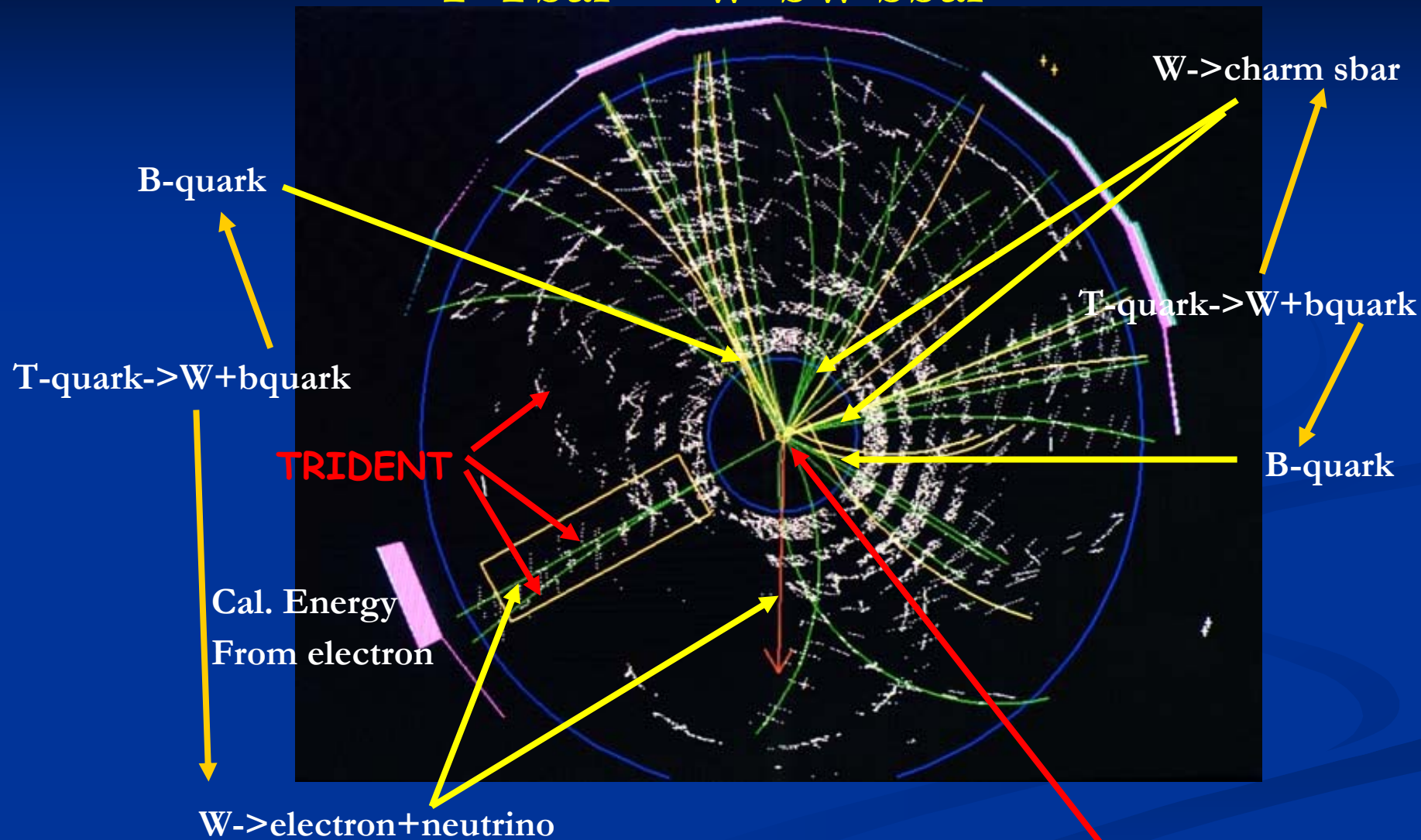
Credit: Sacha Kopp, undergrad



Note- could be any weakly-interacting neutral particle- or, multiple  $\nu$ 's

# A real CDF Top Quark Event

$T\text{-}\bar{T} \rightarrow W^+bW^-b\bar{b}$



**Beam (not at 0,0!)**

# Fake Rates

- In addition to the efficiency for identifying an 'object', need to know how often you get it wrong ('fake rate')- depends on definition of the object.
- Examples-
  - an isolated pizero in a jet ( $z=1$ ) can fake a photon
  - A low momentum ( $\sim 5$  GeV)  $K^+$  can decay  $K \rightarrow \mu\nu$ , and the kaon track segment and the muon track segment can reconstruct to a straight line, giving a high-Pt  $\mu$ .
  - A jet can fake an electron
  - A jet can fake a tau
  - A tau can fake a photon... etc.

# 'Understanding Objects' and their limitations

Example- electro-magnetic (em) cluster

Identify an em cluster as one of 3 objects: (CDF)

$E/p < 2$ : Electron

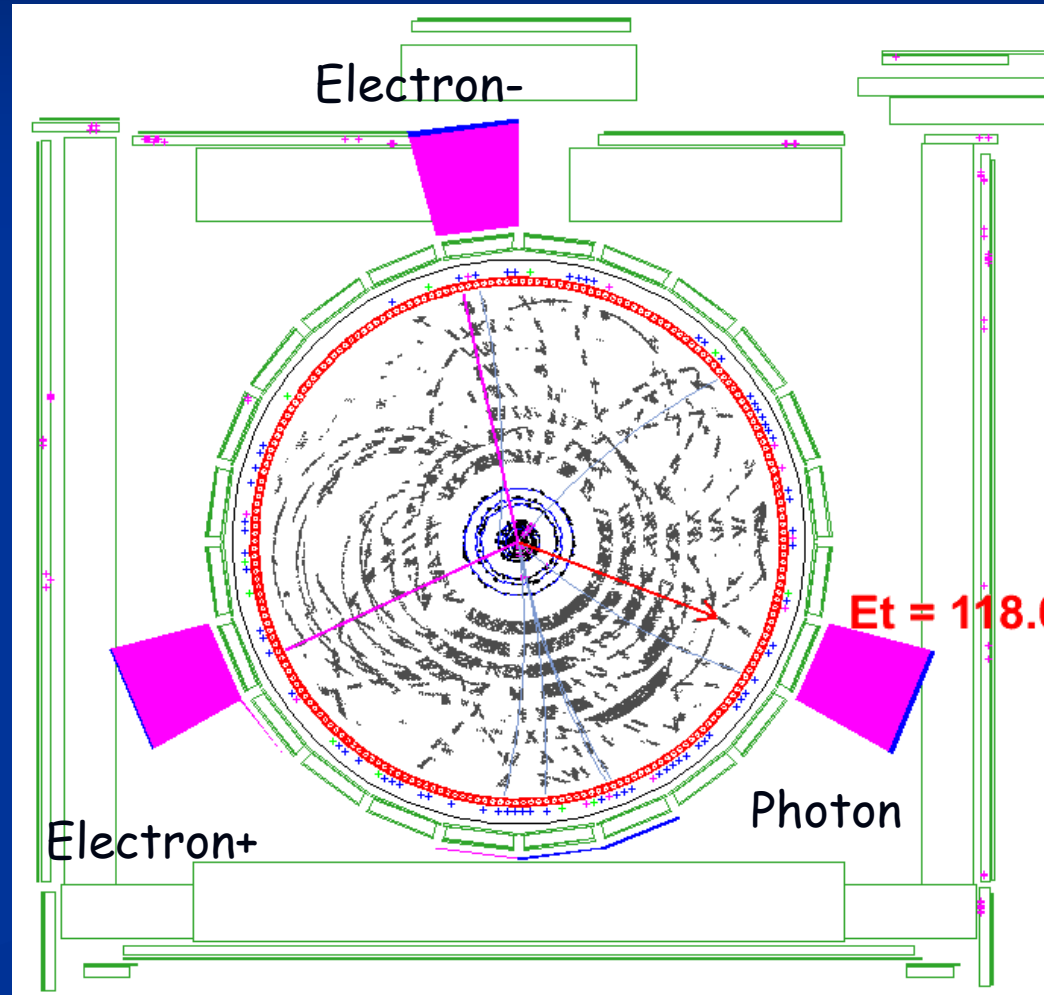
$E/p > 2$ : Jet

$P < 1$ : Photon

Where  $p$  is from track,  $E$  is from cal

$E/p$  measures

bremstrahlung fraction



Recent typical zoo event (only an example)

# 'Understanding Objects' and their limitations

## Example- Muons becoming Electrons

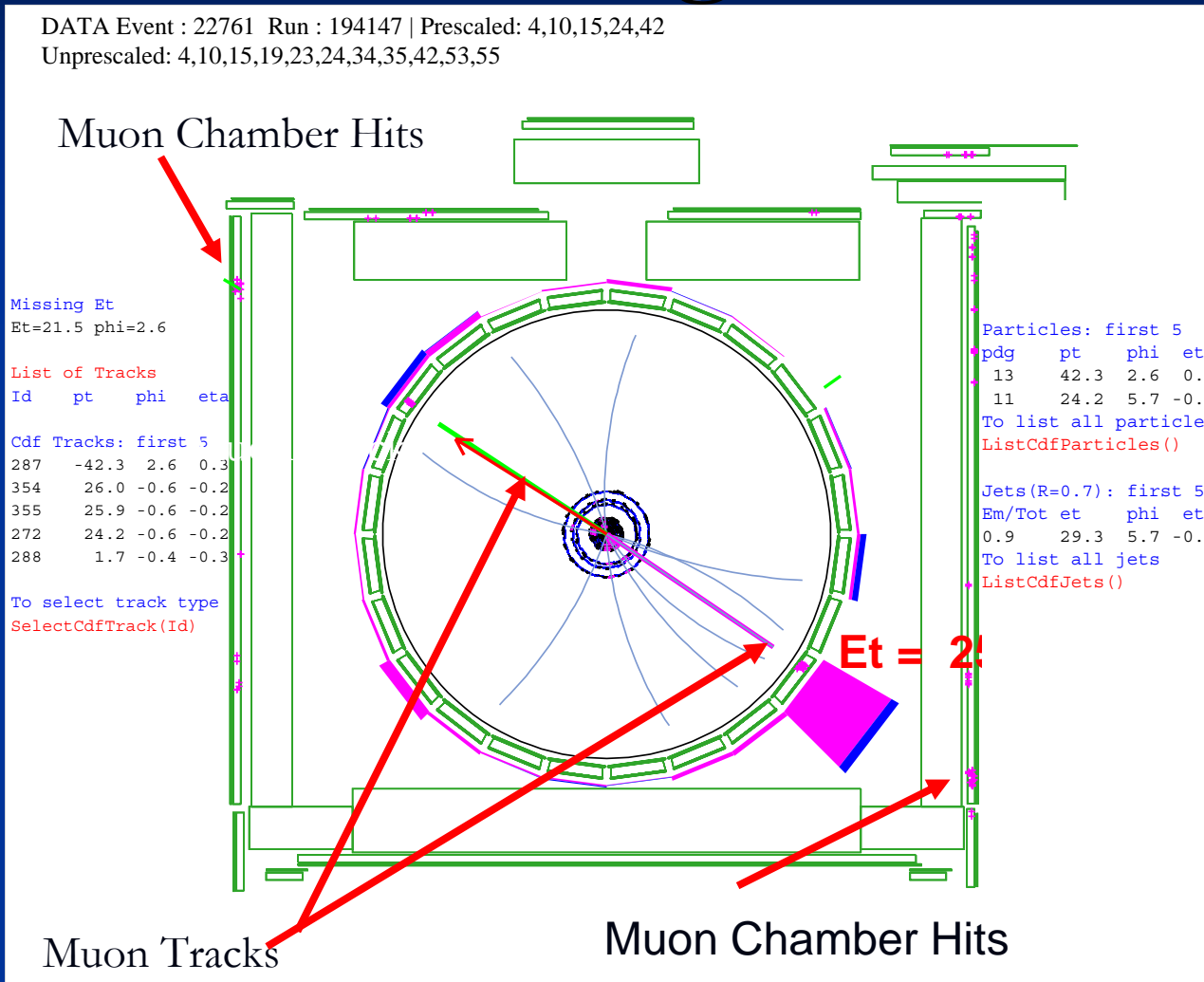
CDF has a cut on EM energy for muons- not more than  $\sim 2$  GeV (minI)

$E < \sim 2$  GeV: Muon

$E > 12$ ,  $E/p < 2$ : Electron

$E < 12$ , or  $E/p > 2$ : Jet

p is from track, E is from calorimeter



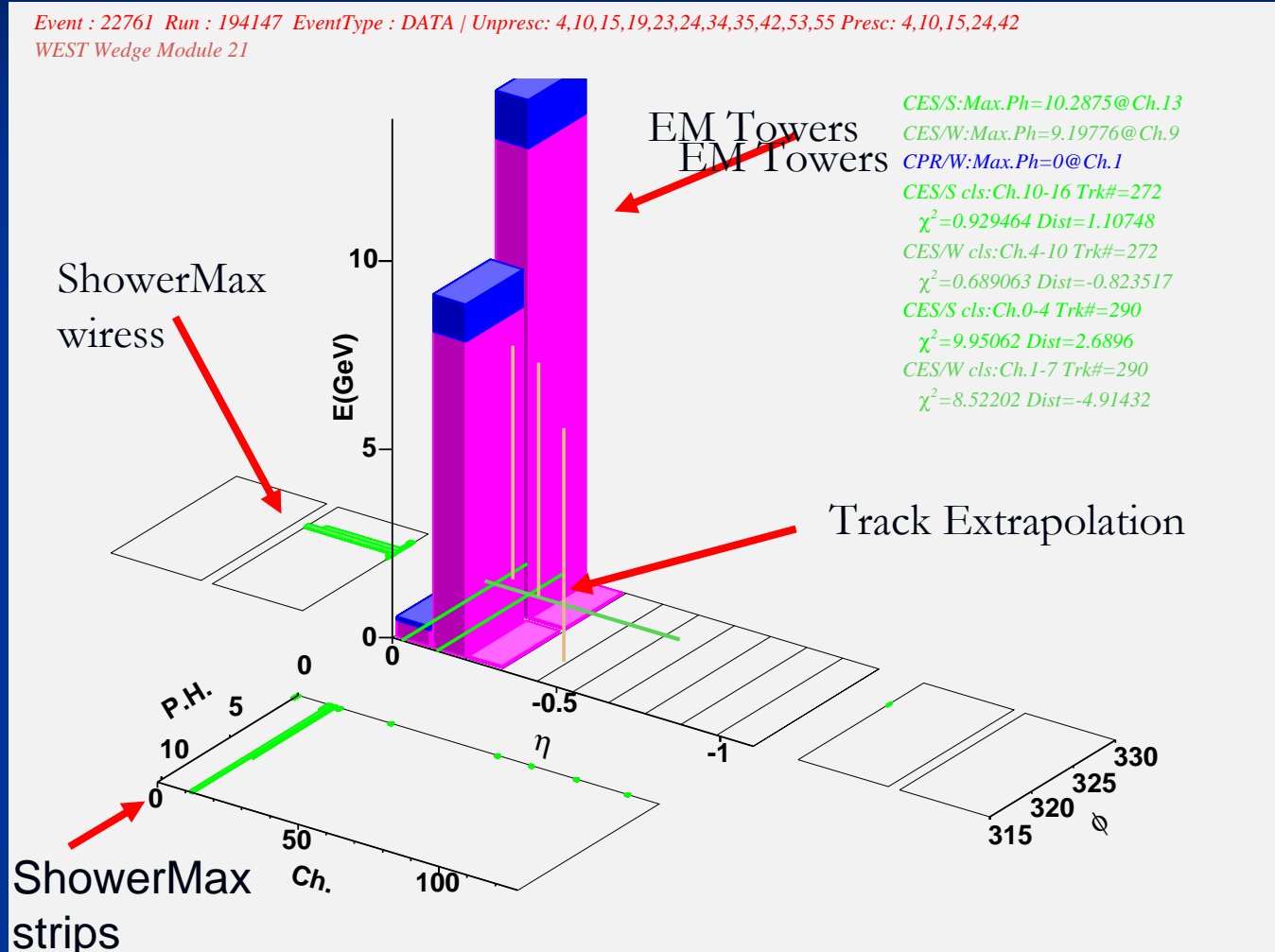
This is a  $Z \rightarrow e\mu$  event:  $M_{e\mu}(2\text{trks}+\text{cluster})=91.4$  GeV



# 'Understanding Objects' and their limitations

## Example- Muons becoming Electrons

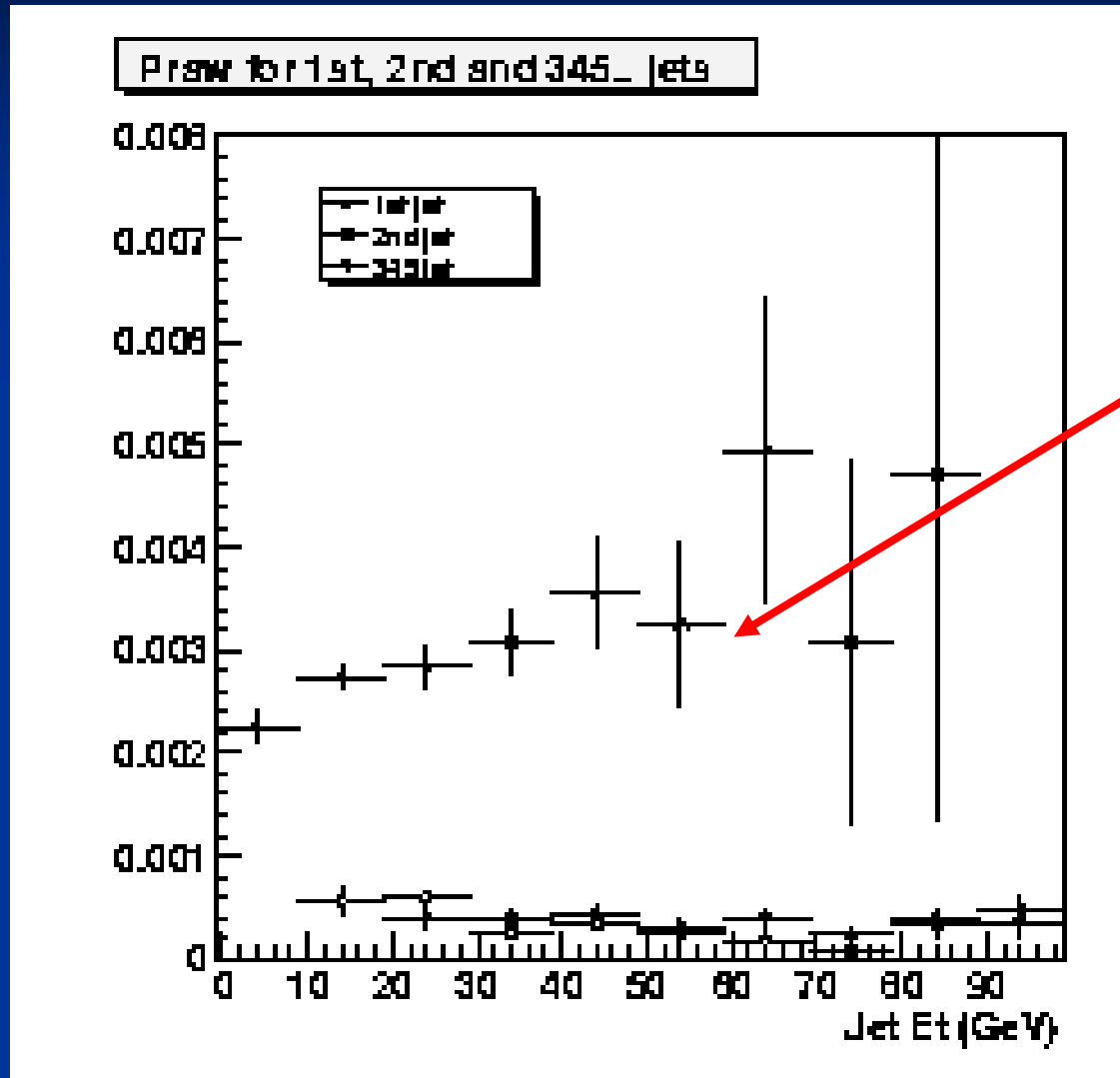
Look inside  
'wedge' at  
calorimeter  
towers- see a  
25 GeV  
colinear  
brem off of  
muon track



This is a 'Z → eμ' event:  $M_{e\mu} = 91.4 \text{ GeV}$

# It's not just partons inside hadrons- we need hadrons inside partons!

'Raw Fake'  
rate for a jet  
faking a  
photon- jets  
are ordered in  
Et



Highest Pt  
jet fakes  
photon  
much more  
often...

Z=1 limit of jet fragmentation determines fake rates  
for isolated photons- really different for  $q, \bar{q}, b, c, \dots!$

# Tevatron LHC comparisons

Three Lectures on Making Precision Measurements at Hadron Colliders

## 3 The Tevatron and the LHC

By now everybody should know about the Tevatron and LHC. I will spare you pictures and boilerplate; The main differences that everybody, including theorists, should know are:

	Tevatron	LHC
Parton Source	Antiproton-Proton	Proton-proton
Energy (TeV)	1.96 (not 2!)	14
Peak Luminosity ( $\text{cm}^{-2}\text{s}^{-1}$ )	$2 \times 10^{32}$	$1 \times 10^{34}$
Crossing Spacing (ns)	396	24.95
Peak Interactions/Crossing	5	19
Luminous Line $\sigma$ (cm)	30	4.5 [?]
Luminosity Lifetime (hours)	3.8/23 [?]	15
$\langle x \rangle$ at $M_W$	0.04	0.006
$\langle x \rangle$ at $2M_T$	0.18	0.025

An LHC upgrade to  $1 \times 10^{35}$  is planned.

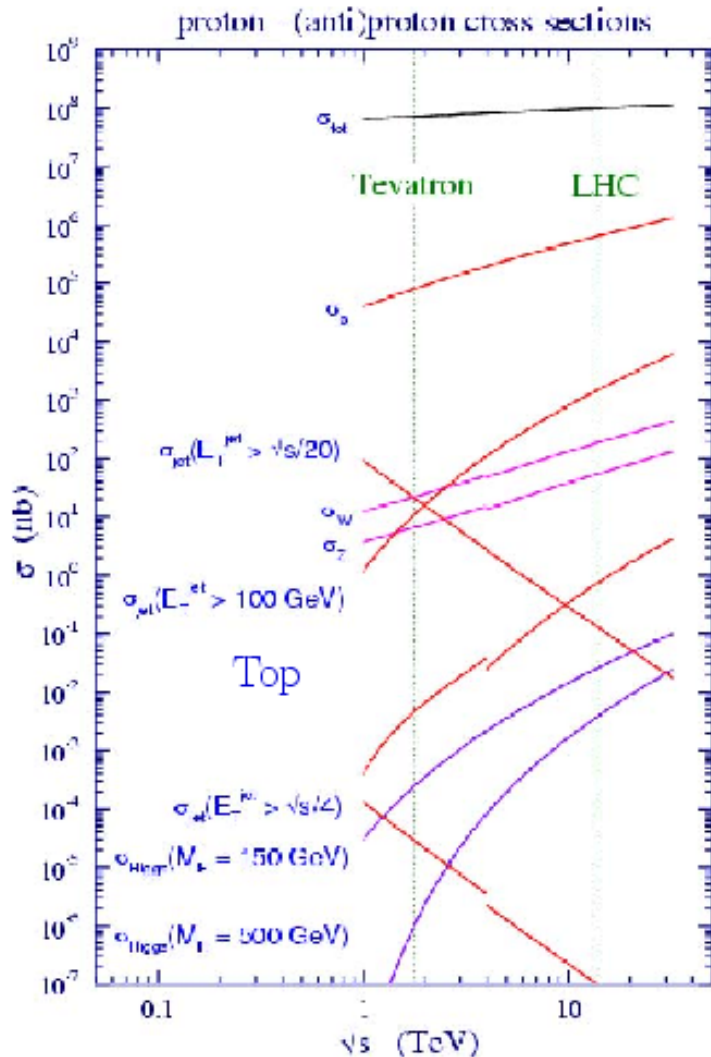
2.8 already

Mention  
Trigger Bias

Bad

Good

# Tevatron LHC comparisons

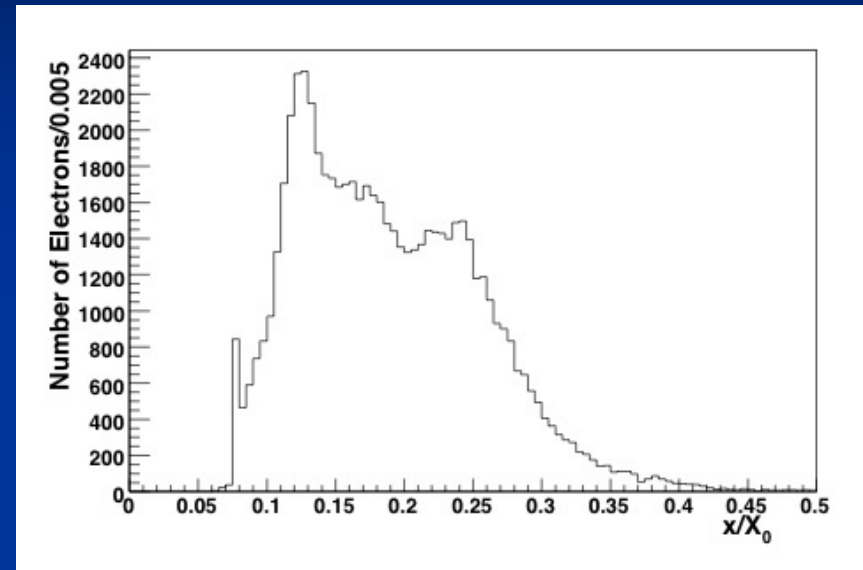


A map of useful cross-sections vs Root-s from Tevatron to LHC.

- Note:
1. 16 orders-of-magnitude
  2.  $\sigma_{tot}$  rising only logarithmically;
  3. Tevatron just entering decent statistics for top (7-8000 fb);
  4. Higgs cross-section is down by 12 orders-of-magnitude at the Tevatron.

# Tevatron strengths compared to LHC

- Obvious ones (pbar-p,..)
- Electron, photon, tau ID has much less material-ultimate  $M_W$ ,  $H \rightarrow \tau$ aus,?
- Tau-ID; photon/pizero separation (shower max)
- Triggering at met $\sim 20$ GeV
- Triggering on b, c quarks (SVT)- also (?) hyperons,...



Fraction of a radiation length traversed by leptons from  $W$  decay (CDF  $W$ mass analysis)-  $\ll 1 X_0$

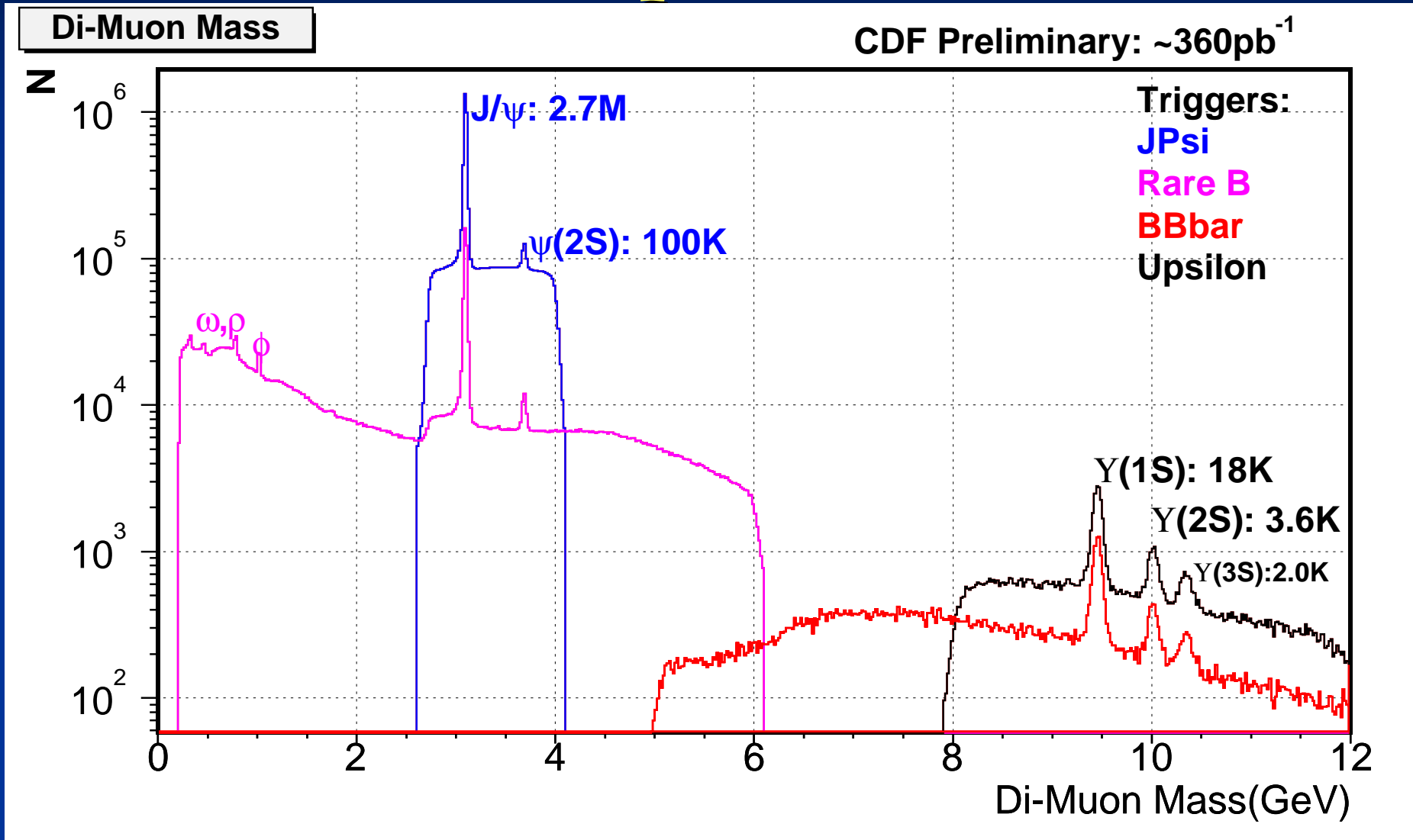
# Calibration Techniques

## 5.1 Momentum and Energy Scales: $E/p$

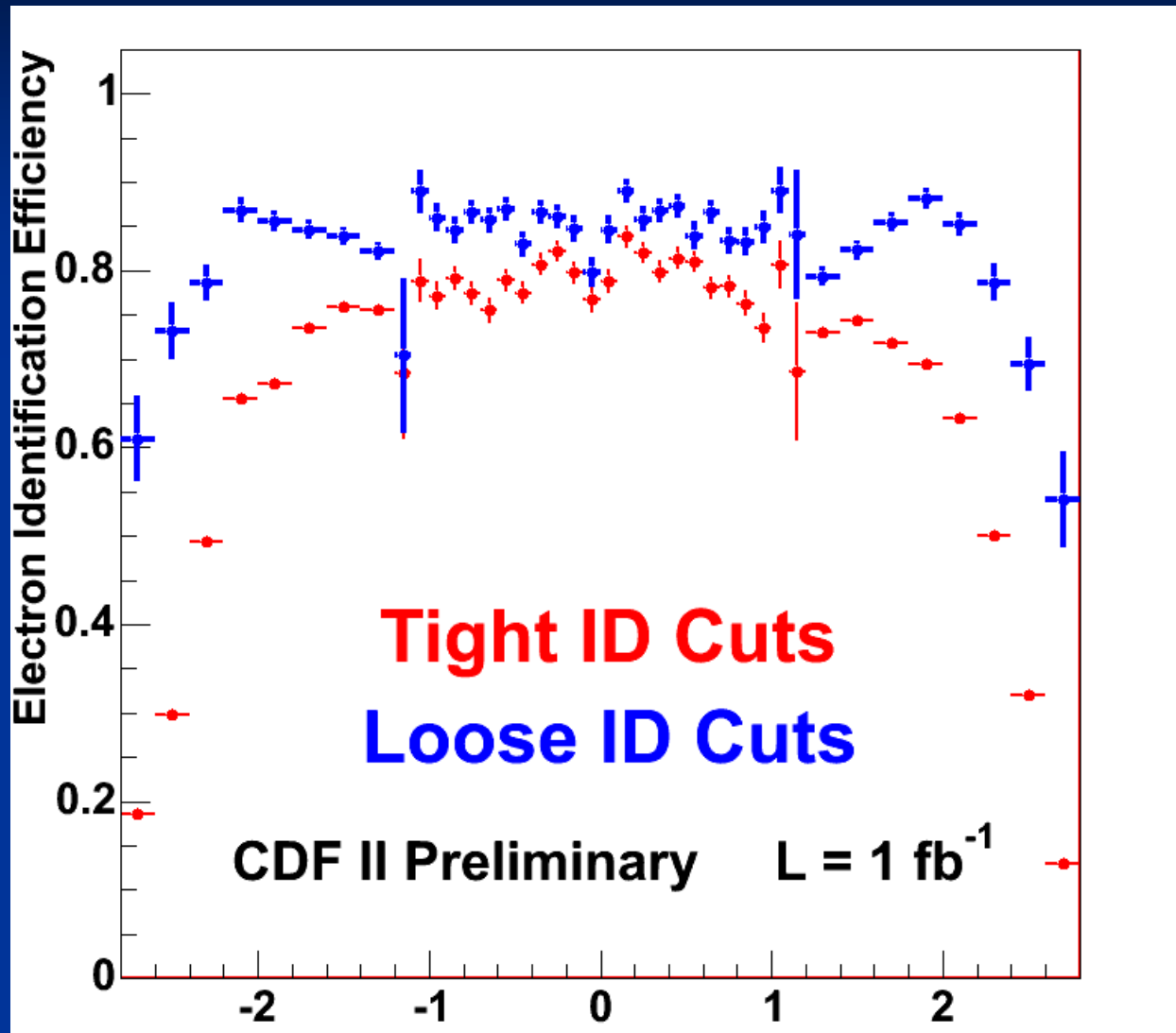
The Tevatron and the LHC are as different from LEP and other  $e^+e^-$  colliders as night and day- it is a big disadvantage to have worked at LEP(!). One key difference is that the overall mass (energy) scale is not set by the beam energy- there is a continuum of c.m. energies in the parton-parton collisions. Moreover the hard scattering is not at rest either longitudinally *nor* transverse in the lab system- there is 'intrinsic  $K_T$ ' as well as initial-state radiation (ISR). Finally, the beam spot is a line and not a spot- the vertex point, used to calculate transverse energies, has to be determined from the event, including for neutrinos and photons for which no track is observed.

Dealing first with the issue of setting the scale for momentum, energy, and mass measurements. All current detectors consist of a magnetic spectrometer followed by calorimeters. The magnetic spectrometer uses a precisely measured (NMR) magnetic field and the precise geometry of the tracking chambers to measure the curvature ( $1/P_T$ ) of the tracks of charged particles. This is an absolute measurement- if perfect one has the momentum scale. One can then use particles with measured momentum as an *in situ* 'test beam' to calibrate the energy scale of the calorimeters.

# Triggering on Low Mass Dimuon Bumps- SVT



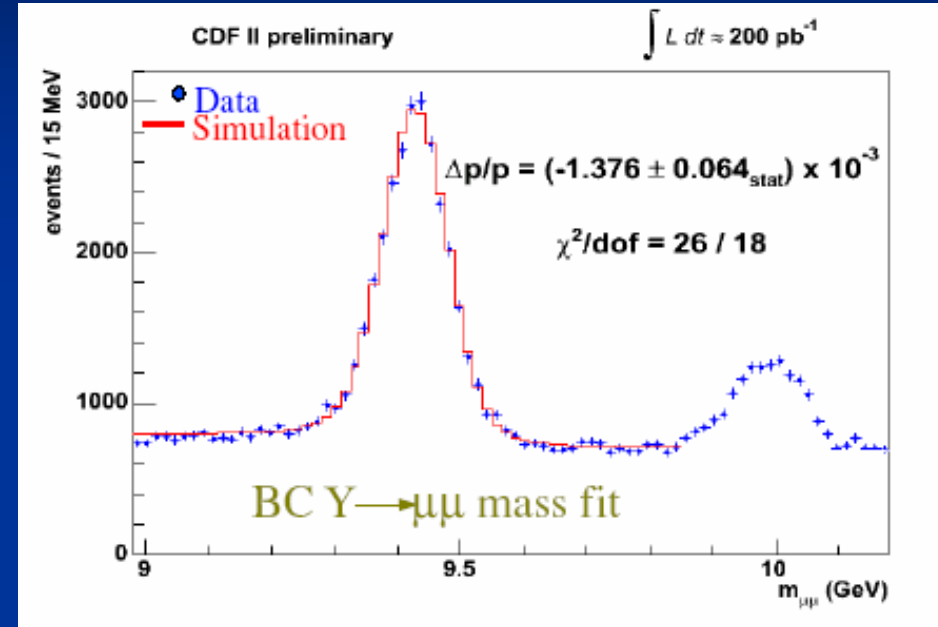
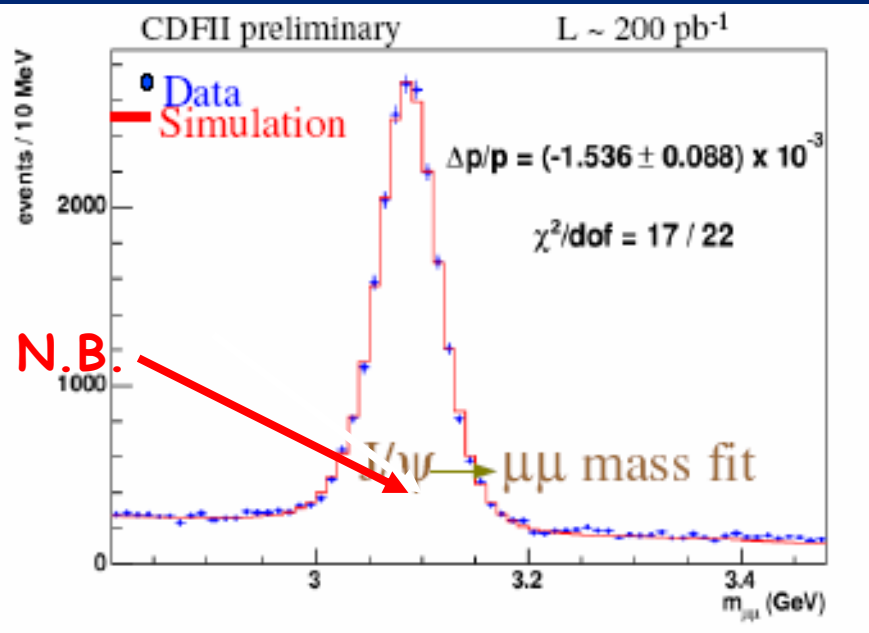
# Muon Efficiency vs $\eta$ in CDF





# Calibrating the momentum scale

CDF Data from Feb. 02-Sept 03  
218 pb<sup>-1</sup> for e; 191 pb<sup>-1</sup> for  $\mu$



First, Calibrate the spectrometer momentum scale on the J/Psi and Upsilon-

Material traversed by muons really matters in calibration (e.g. for W mass measurement.)

# Calibration of E and P

Three Lectures on Making Precision Measurements at Hadron Colliders

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## 5 Calibration Techniques

### 5.1 Momentum and Energy Scales: E/p

The Tevatron and the LHC are as different from LEP and other  $e^+e^-$  colliders as night and day- it is a big disadvantage to have worked at LEP(!). One key difference is that the overall mass (energy) scale is not set by the beam energy- there is a continuum of c.m. energies in the parton-parton collisions. Moreover the hard scattering is not at rest either longitudinally *nor* transverse in the lab system- there is 'intrinsic Kt' as well as initial-state radiation (ISR). Finally, the beam spot is a line and not a spot- the vertex point, used to calculate transverse energies, has to be determined from the event, including for neutrinos and photons for which no track is observed.

Dealing first with the issue of setting the scale for momentum, energy, and mass measurements. All current detectors consist of a magnetic spectrometer followed by calorimeters. The magnetic spectrometer uses a precisely measured (NMR) magnetic field and the precise geometry of the tracking chambers to measure the curvature ( $1/P_T$ ) of the tracks of charged particles. This is an absolute measurement- if perfect one has the momentum scale. One can then use particles with measured momentum as an *in situ* 'test beam' to calibrate the energy scale of the calorimeters.

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The momentum scale can be checked by measuring the masses of some calibration 'lines' thoughtfully provided by Mother Nature- the J/Psi and  $\Upsilon$  systems, and the Z in its  $Z^0 \rightarrow \mu^+\mu^-$  decays ( $Z^0 \rightarrow e^+e^-$  doesn't work for momentum calibration!). Fig. 6 shows measured distributions from CDF. However the momentum scale can be incorrect

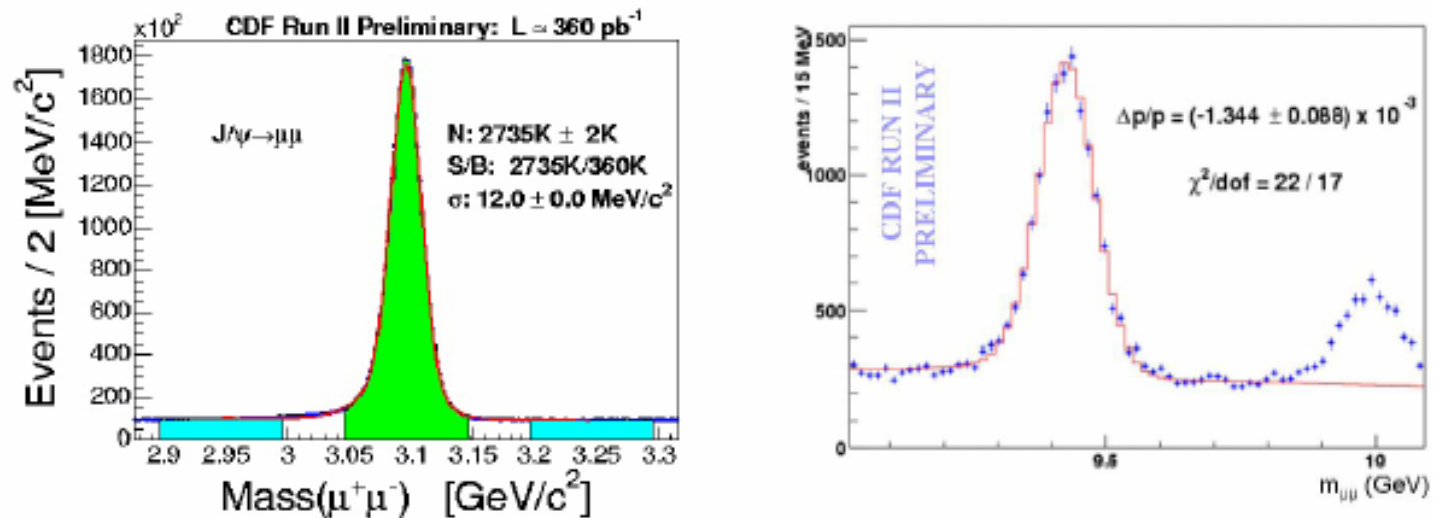


Figure 6: Left: The reconstructed  $J\Psi$  invariant mass in dimuons (CDF). Right: The similar plot for the Upsilon system.

due to mis-alignments in the tracking chamber. The combination of a calorimeter and a magnetic spectrometer allows one to remove the 1st-order errors in both [?] by measuring 'E' (calorimeter energy) over 'p' (spectrometer momentum). With perfect resolution,

# Calibration of E and P

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no energy loss, and no radiation these two should be equal:  $E/p = 1.0$ . Figure 7 shows the measured spectrum in  $E/p$  for electrons.

The 1st-order error in momentum is due to a 'false-curvature'- that is that a straight line (zero-curvature= $\infty$  momentum) is reconstructed with a finite momentum. The 1st-order error in calorimeter energy is an offset in the energy scale, and does not depend on the sign ( $\pm$ ) of the particle [?]. Expanding both the curvature and calorimeter energies to first order:

$$1/p = 1/p_{true} + 1/p_{false} \quad (\mu^+) \quad 1/p = 1/p_{true} - 1/p_{false} \quad (\mu^-) \quad (2)$$

$$E = E_{true} * (1 + \epsilon) \quad (e^+) \quad E = E_{true} * (1 - \epsilon) \quad (e^-) \quad (3)$$

The first-order false curvature  $p_{false}$  then is derived by measuring  $E/p$  for positive and negative electrons with the same  $E$

$$1/p_{false} = ((E/p(e^+) - E/p(e^-))/2E) \quad (4)$$

The first-order calibration scale error  $\epsilon$  then is removed by setting the calorimeter scale for electrons so that  $E/p$  agrees with expectations. In CDF, this is done initially to make the calorimeter response uniform in  $\phi - \eta$ .

$$1/p_{false} = ((E/p(e^+) + E/p(e^-))/2) \quad (5)$$

# Calibration of E and P

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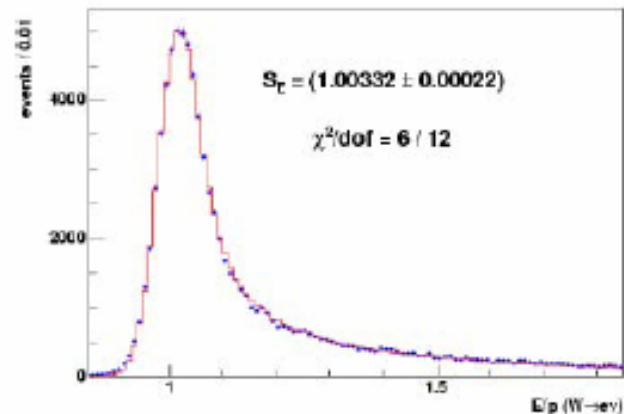


Figure 7:

## 5.2 Higher-order momentum and energy corrections

The momentum and energy calibrations at this point are good enough for everything at present exposures except the W mass measurement. There are three higher-order effects that are taken care of at present:

1. 'Twist' between the 2 end-plates of the tracking chamber;
2. Systematic scale change in the z-measurements in the chamber;
3. Non-linearity of the calorimeter due to  $e(E/2) + \gamma(E/2) \neq e(E)$

# Calibration of E and P

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Figure 8 shows the use of the  $J/\Psi$  mass to correct for the first two of these effects. What is plotted is the correction to the momentum scale versus the cotan of the difference in polar (from the beam axis) angle of the two muons. There is a linear correction to the curvature of  $\delta c = 6 \times 10^{-7} \cot(\theta)$  that corrects for the twist between the endplates, and a change in the scale of the z-coordinate by 2 parts in  $10^4$ ,  $z_{scale} = 0.9998 \pm 0.0001$ . This is precision tuning of a large but exceptionally precise instrument!

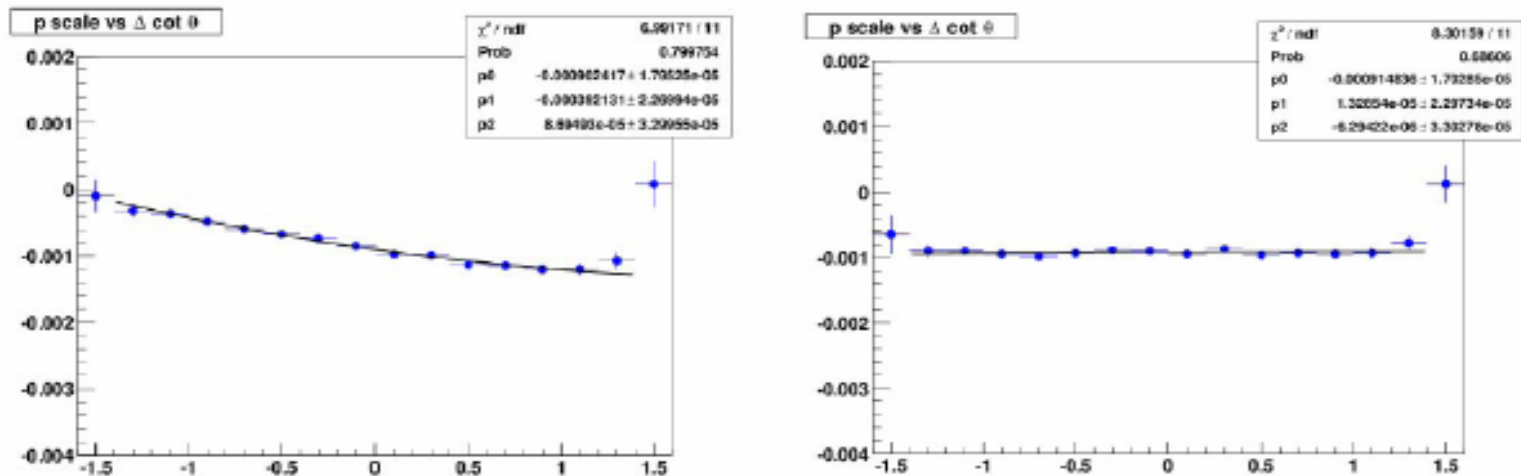


Figure 8: Left: The correction to the momentum scale versus the cotan of the difference in polar angle of the two muons in  $J/\psi$  decay before corrections; Right: The same after correcting the curvature by  $\delta c = 6 \times 10^{-7} \cot(\theta)$  the scale of the z-coordinate by 2 parts in  $10^4$ .

# Calibration of E and P

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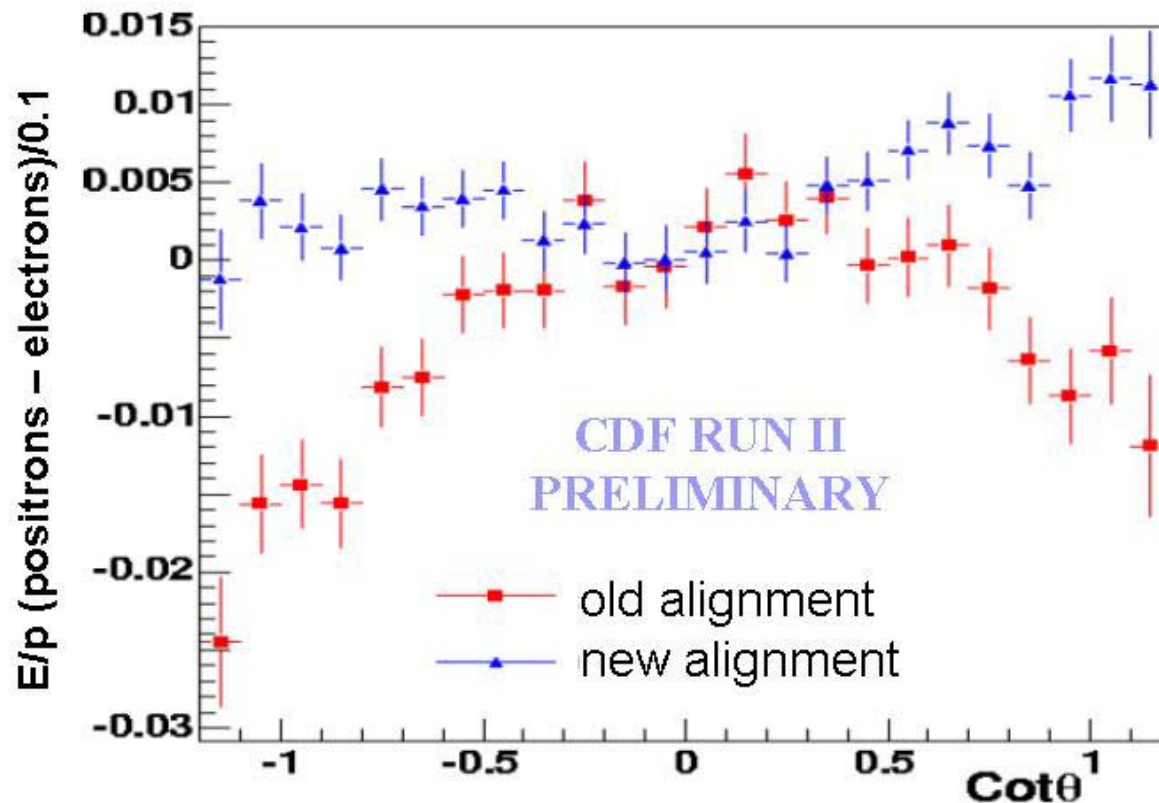


Figure 9: Measuring a higher-order correction to track curvature: the calorimeter to momentum ratio  $E/p$  versus  $\text{cot}\theta$  for  $e^+$  and  $e^-$ , before and after the curvature and z-scale corrections.

# Calibration of Jet E

Three Lectures on Making Precision Measurements at Hadron Colliders

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## 5.3 Calibrating the Hadron Calorimeters and the Jet Energy Scale

Much of the top mass information is encoded in its jets: the b-jets are first-generation daughters of a 2-body decay, one W decays into 2 jets, and the missing- $E_t$  of the neutrino is measured in the calorimeter.

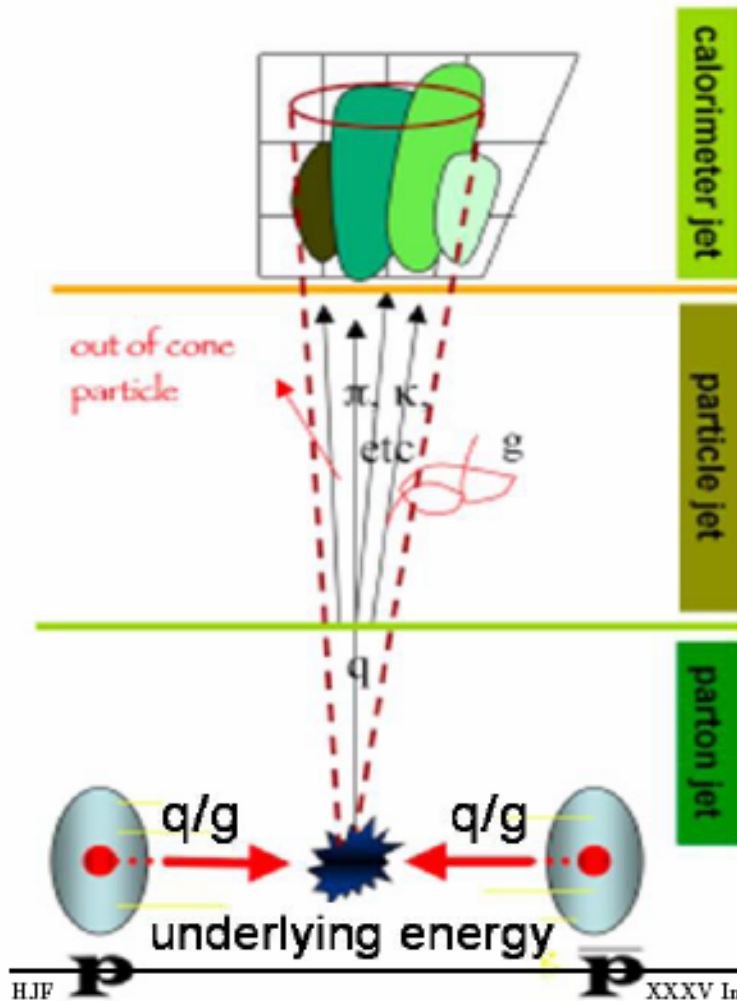
There are a number of ways to calibrate the calorimeter response to jets:

1. In situ calibration by isolated hadrons ('E/p')
2. Test beam (for higher momenta- but, remember UA2- long ago for CDF)
3. Dijet balancing (D0 uses this cleverly at large  $\eta$  for  $E_t$  reach0)
4.  $\gamma$ -jet balancing
5. Z-jet balancing

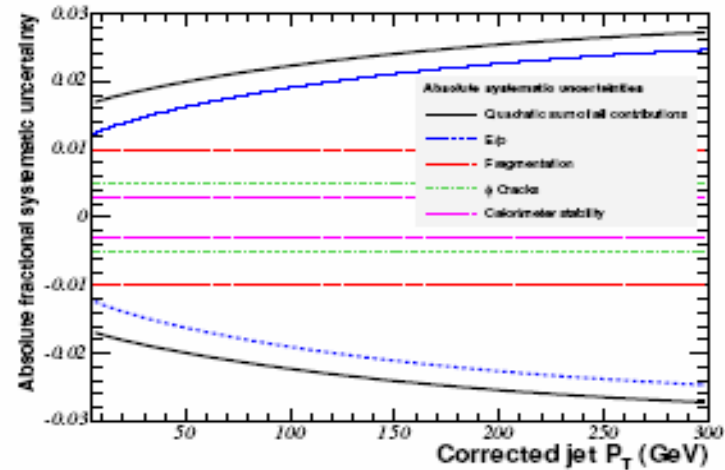


# Calibration of Jet E

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The total Uncertainties on the jet energy scale.



HJF

$P$

underlying energy

$P$

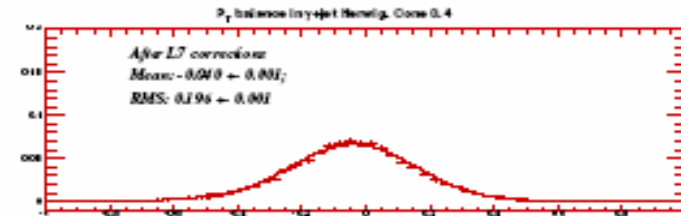
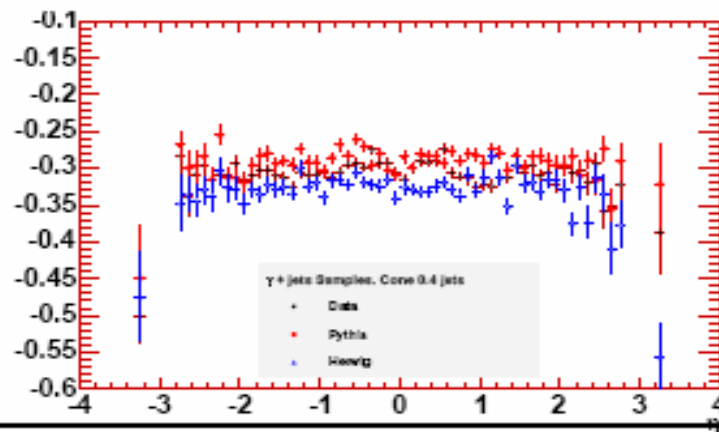
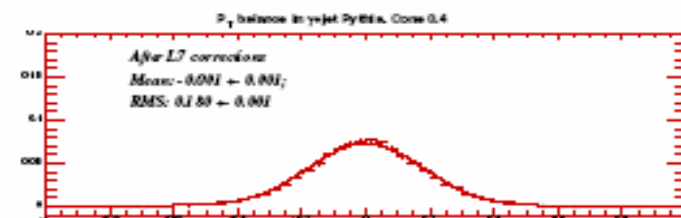
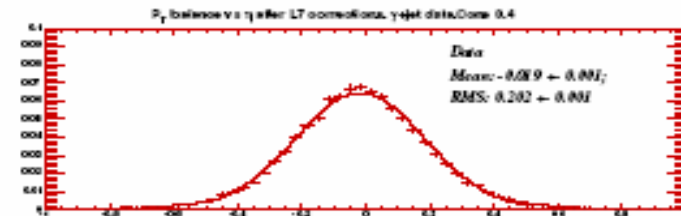
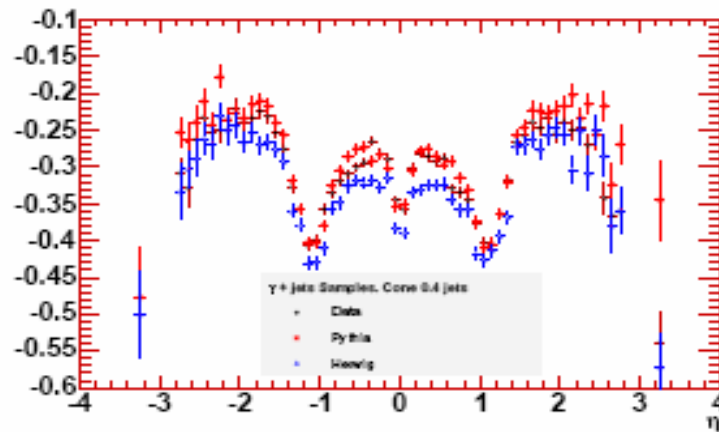
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# Calibration of Jet E

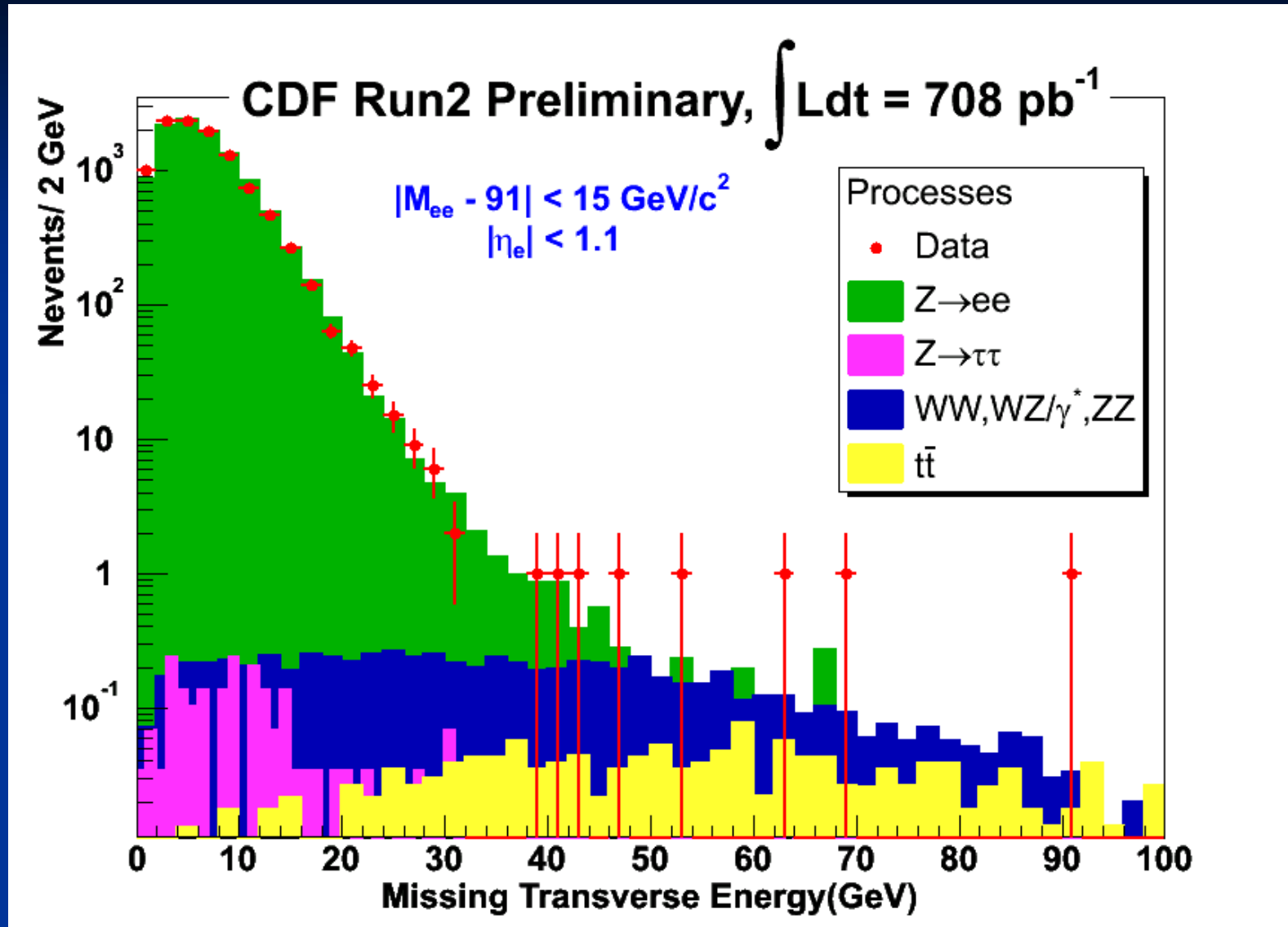
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After much hard work, check 'relative' (flat in  $\eta$ ) calibrations with gamma-jet balancing: photon on one side should balance a jet on the other.



Comparison of data and MC after all corrections.

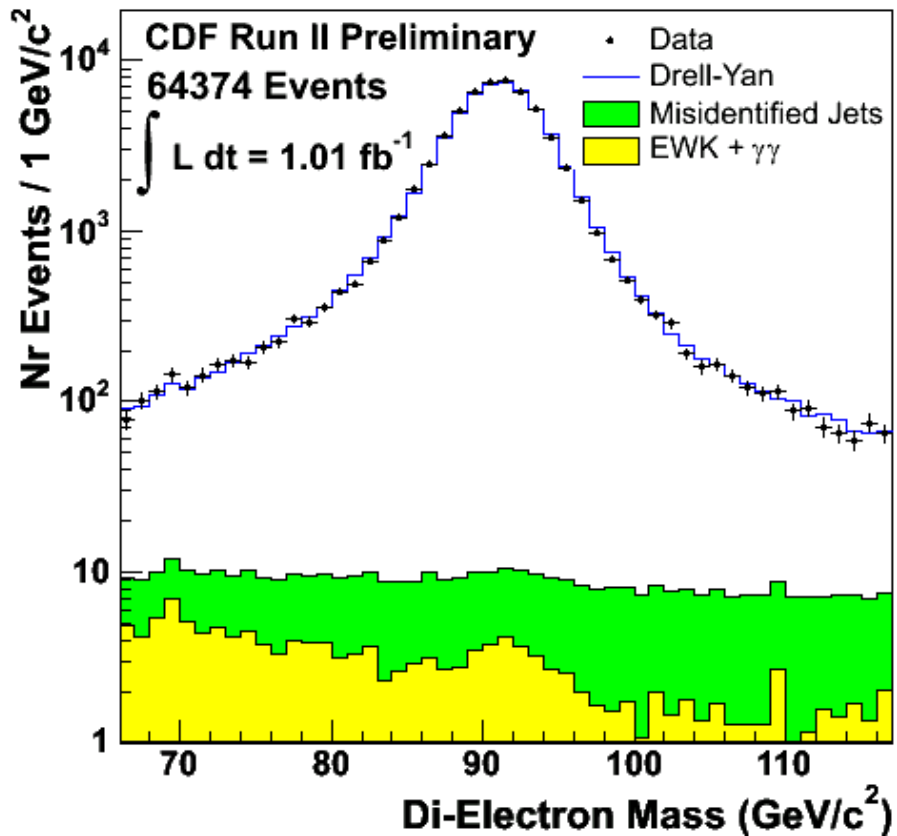
# Z+jet Production- THE Standard Candle



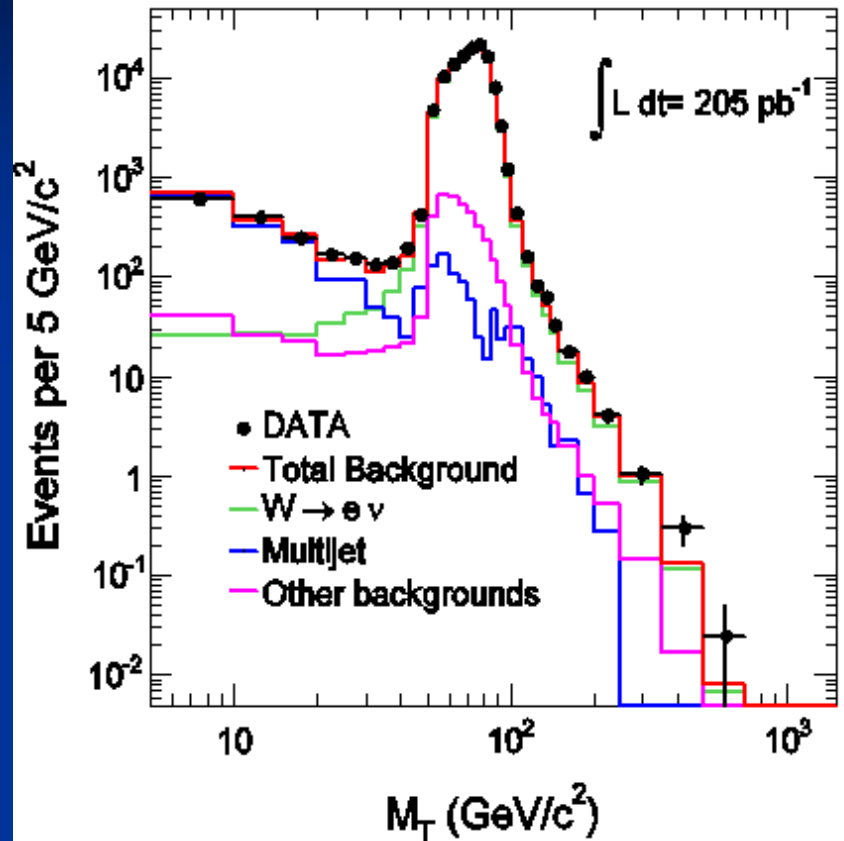
Use  $M_{\text{et}}$  in  $Zee$  events  
to measure  $M_{\text{et}}$  resolution

# Z+jet Production- THE Standard Candle

## Di-Electron Invariant Mass Spectrum



## CDF Run II Preliminary



$M(e+e^-)$ - note low side is ok

$M_T(e\nu)$ - note low side QCD bkd

# The Importance of SM Predictions!

- Next 2 slides show pratfalls due to not knowing what was 'old' (SM in these 3 cases charm,  $W$ +jets, and  $Z$ +jets ) physics and hence what was new .
- However, getting it wrong didn't stop these guys: Lederman and Rubbia ...

An historical aside: Lederman (Dir, Fermilab), Richter (Dir, SLAC), and Rubbia (Director, CERN) were on a panel at Aspen on the Future of HEP. Richter spoke first about how SLAC would explore the  $Z$  with SLC ; Rubbia spoke 2<sup>nd</sup> on how CERN would explore the  $Z$  and beyond with LEP; and for Leon?.....

# Two cases of non-understanding of 'What's Beneath'

CHAIRMAN'S SUMMARY

L M Lederman  
Columbia University

1.  $\left(\frac{d^2}{dx^2}\right)^+ \approx \left(\frac{d^2}{dx^2}\right)^- \approx \left(\frac{d^2}{dx^2}\right)^+ \approx \left(\frac{d^2}{dx^2}\right)^- \approx 10^{-4}$
2. This is independent of  $P_T$  from 1.5 to 5 GeV/c.
3. This is independent of nucleon target size.
4. This is independent of CM viewing angle.
5. This is independent of  $s$  from  $\sqrt{s} = 7$  to  $\sqrt{s} = 53$ . (See Fig. 1).

All of these statements may be true to within a factor of 2 or so.

(A BNL point is taken from a comment by R Adair). The implications are that leptons and pions have a common origin. Statement 5 implies the source mass must be less than 3-4 GeV (no threshold effects) for  $p + p \rightarrow X + \text{anything}$

$\downarrow$   
 leptons

or less than 1.5-2 GeV for pion production e.g. Charged particles. Statement (1) in its lack of charge asymmetry is discouraging for charmed meson sources analogous to K-mesons. The agreement of the ISR with NAL rules out low masses ( $M_X > \text{few hundred MeV}$ ) because narrow angle leptons are vetoed in the ISR measurements.

The ISR muons and NAL electrons set limits on the production of single leptons e.g. from  $W^\pm$  up to the kinematic limit. However, it is out of fashion to

convert these limits to mass limits because the necessary models are currently discredited.

The lack of  $P_T$  "bumps" means there are no significant heavy objects ( $M$  from 3 + 10 GeV) decaying into two leptons.

*History is Fickle. #*

Fig. 1 lepton/pion ratio vs  $\sqrt{s}$  compared to pion production ( $P_T \sim 3$  GeV). Errors are estimated freely.

**WARNING: the search for a 'known' signal imbedded in not-thoroughly- understood backgrounds in data from a large complex detector is difficult—one needs to be healthily sceptical.**

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A clear signal is observed for the production of an isolated large-transverse-momentum lepton in association with two or three centrally produced jets. The two-jet events cluster around the  $W^\pm$  mass, indicating a novel decay of the Intermediate Vector Boson. The rate and features of these events are not consistent with expectations of known quark decays (charm, bottom). They are, however, in agreement with the process  $W \rightarrow t\bar{b}$  followed by  $t \rightarrow b\bar{c}$ , where  $t$  is the sixth quark (top) of the weak Cabibbo current. If this is indeed so, the bounds on the mass of the top quark are  $30 \text{ GeV}/c^2 < m_t < 50 \text{ GeV}/c^2$ .

Table 10

	All		$ \cos \theta^*  < 0.8$		$60 \text{ GeV} < m(\text{4-body}) < 100 \text{ GeV}$	
	Data	b5g	Data	b5g	Data	b5g
Muon: $p_T > 12 \text{ GeV}$	3	0.9	3	0.4	3	0.15
Electron: $E_T > 15 \text{ GeV}$	9	1.3	7	0.3	7	0.25

Fig. 10. Four-body versus three-body mass distribution for the six  $W \rightarrow t\bar{b}$  candidate events. The effective mass of the lepton, the lower- $p_T$  jet, and of the transverse component of the neutrino is plotted against the mass of the lepton, two-jet, transverse neutrino system. The four-body mass peaks at the  $W$  mass. The three-body mass clusters around a common value of  $\sim 40 \text{ GeV}/c^2$ . The curves show the expected [14] distributions, taking into account the experimental resolution. Allowance should be made for a systematic error arising from uncertainties in the jet reconstruction ( $\pm 10 \text{ GeV}/c^2$ ).

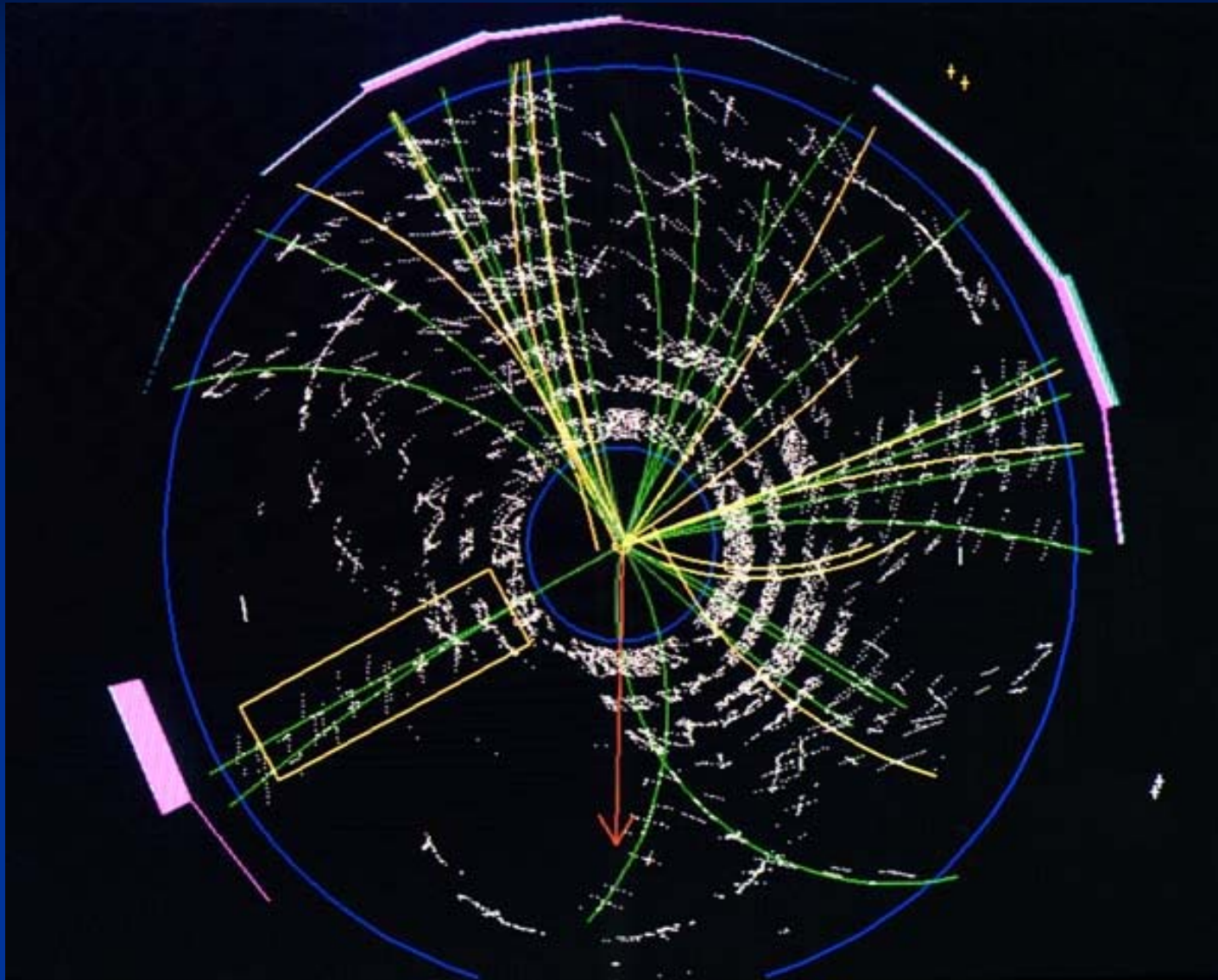
Fig. 11. Kinematic distributions for the six  $W \rightarrow t\bar{b}$  candidates, compared with theoretical expectations [19] for a top mass  $m_t = 40 \text{ GeV}/c^2$ . (a) Mass distributions for (i) the lepton-transverse system  $m_{l, \perp}$ ; (ii) the lepton-higher- $p_T$  jet system  $m_{l, \perp, \text{jet}}$ ; (iii) the lepton-transverse neutrino system  $m_{l, \perp, \nu}$ ; (iv) the lepton-transverse neutrino system  $m_{l, \perp, \nu, \text{jet}}$ . (b) Transverse mass distributions defined as in ref. [19]. (c)  $m_{l, \perp, \text{jet}}$  vs  $m_{l, \perp, \nu}$ . (d)  $m_{l, \perp, \text{jet}}$  vs  $m_{l, \perp, \nu, \text{jet}}$ . The curves show the expected [14] distributions, taking into account the experimental resolution. Allowance should be made for a systematic error arising from uncertainties in the jet reconstruction ( $\pm 10 \text{ GeV}/c^2$ ).

Leon Lederman and 1971 J/Psi  
Non-discovery

Carlo and the 1984 Top  
'Discovery'



# The End of 1<sup>st</sup> Lecture



6/8/2007

XXXV Int. Mtg on Fund. Physics

"You could be up to your belly-buttons in (SUSY) and not know it.."- C. Prescott<sup>48</sup>



## Referemces:

# The Quarks



Up



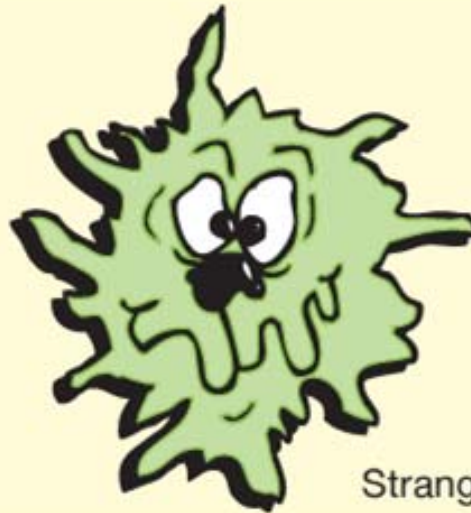
Charm



Top



Down



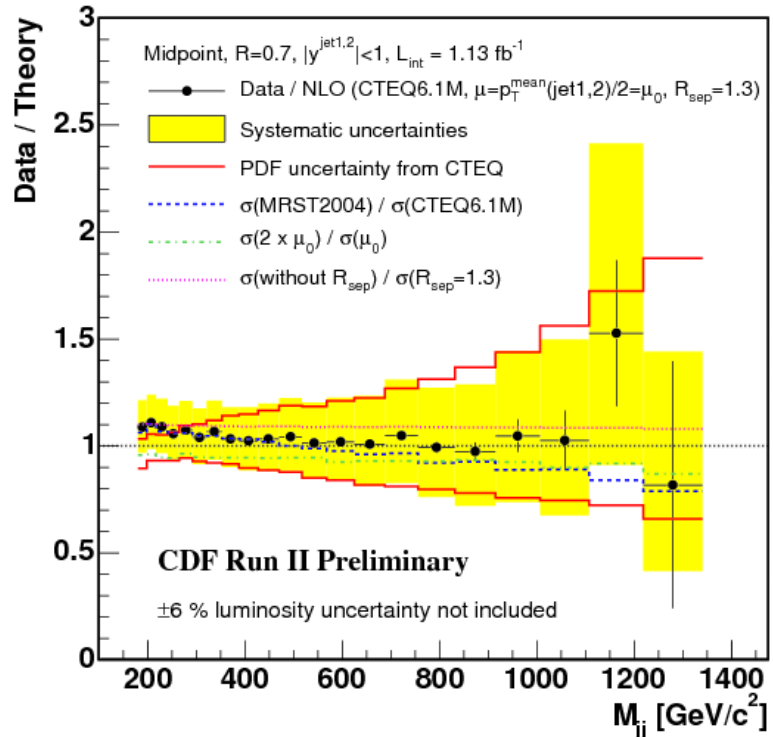
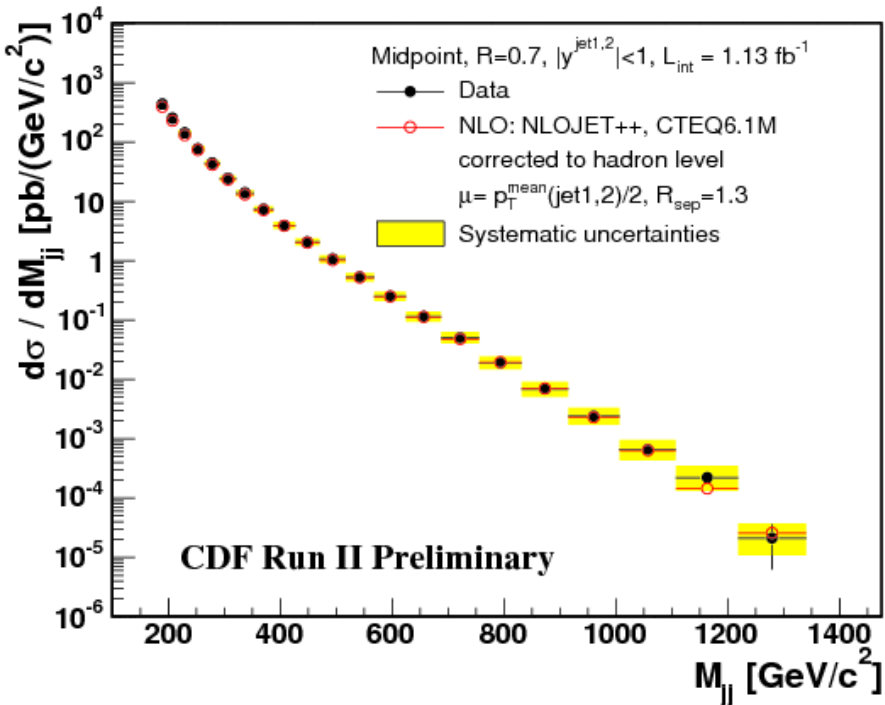
Strange



Bottom

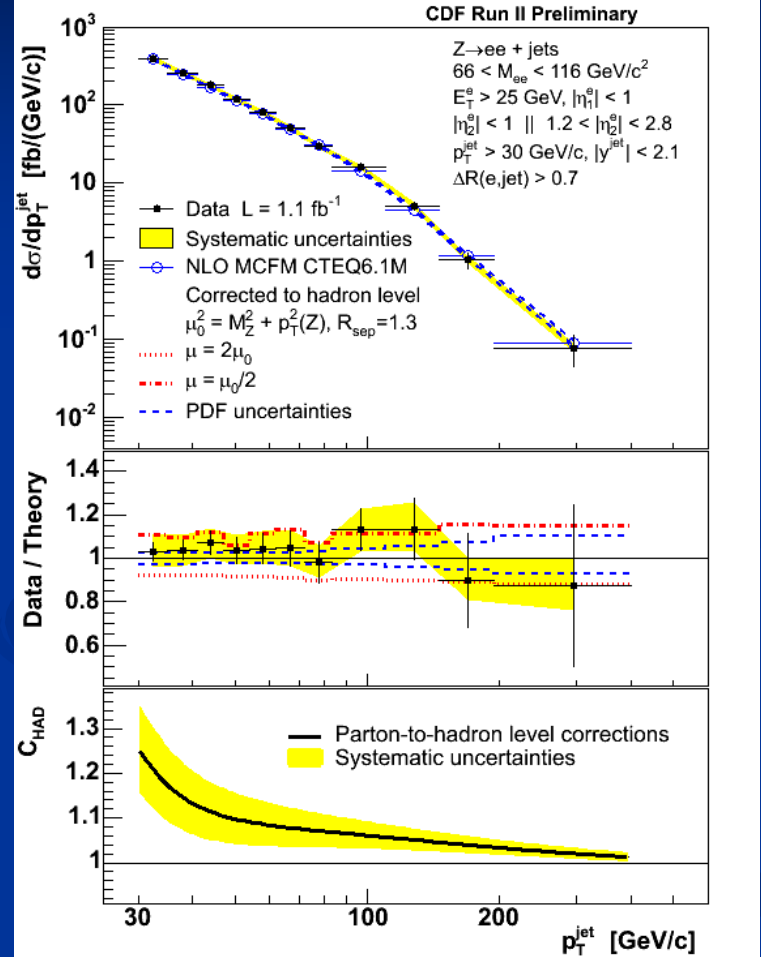
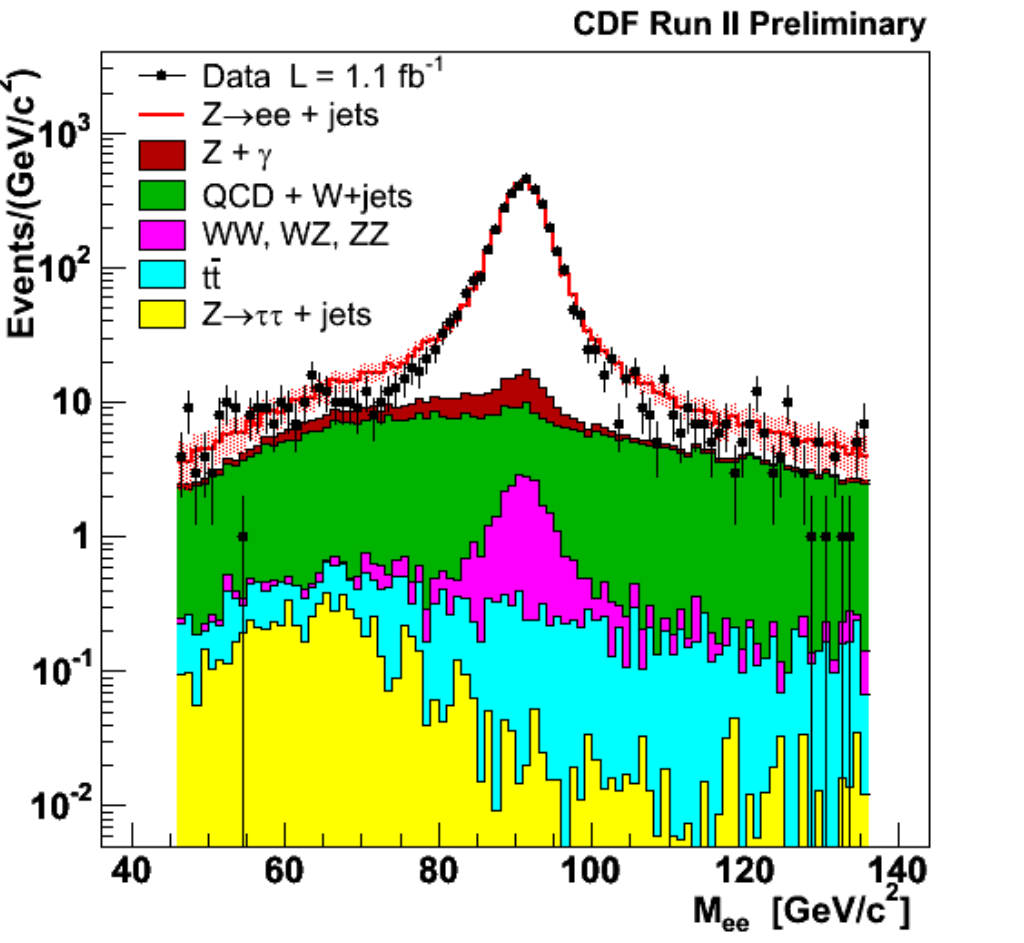
# BACKUP SLIDES

UC



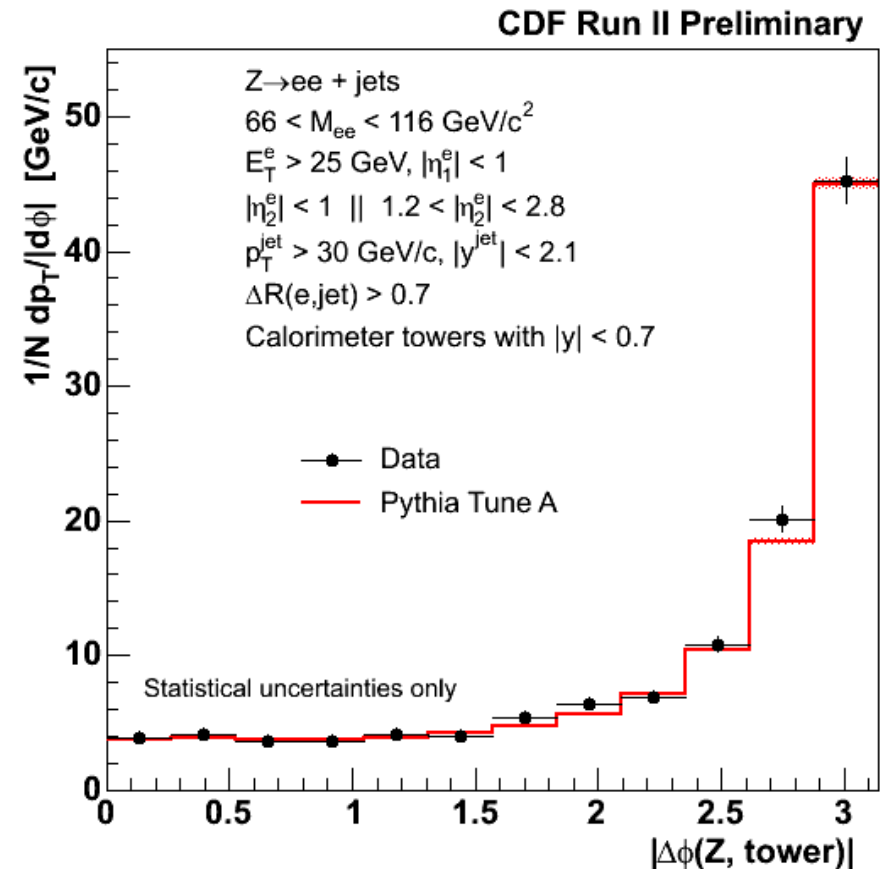
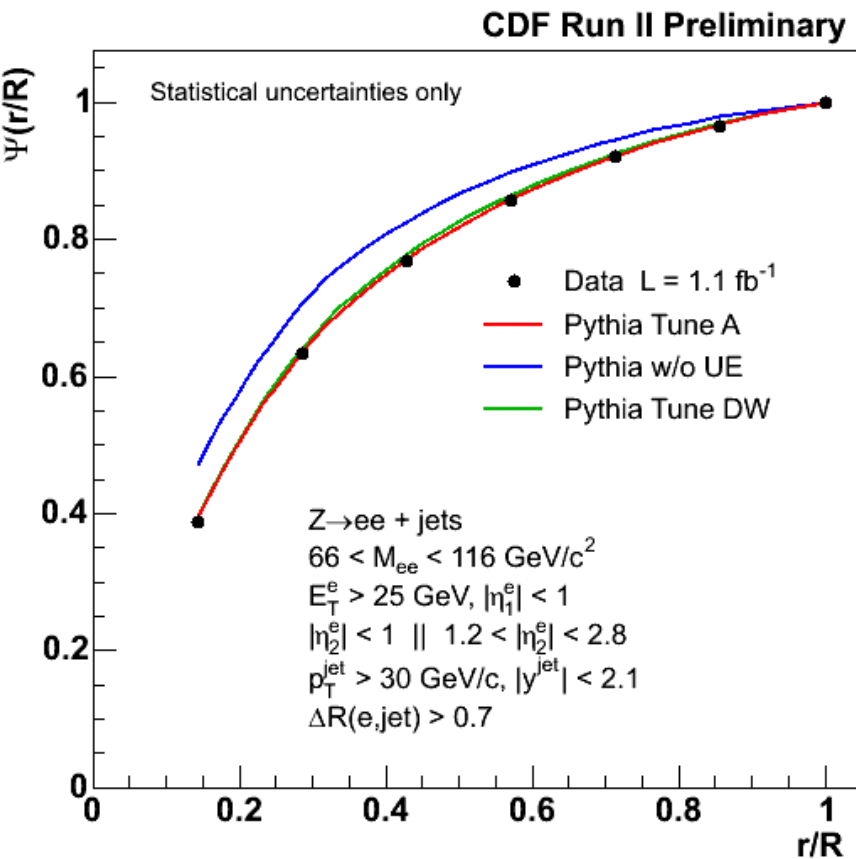
Really remarkable agreement with CTEQ PDF's in Mass (JJ)- note # of decades, systematic uncertainty bands

# Z+jet Production- THE Standard Candle(SC) and PDF's



Really remarkable agreement with CTEQ PDF's - note # of decades, systematic uncertainty bands

# Z+jet Production- THE Standard Candle (SC) and PDF's



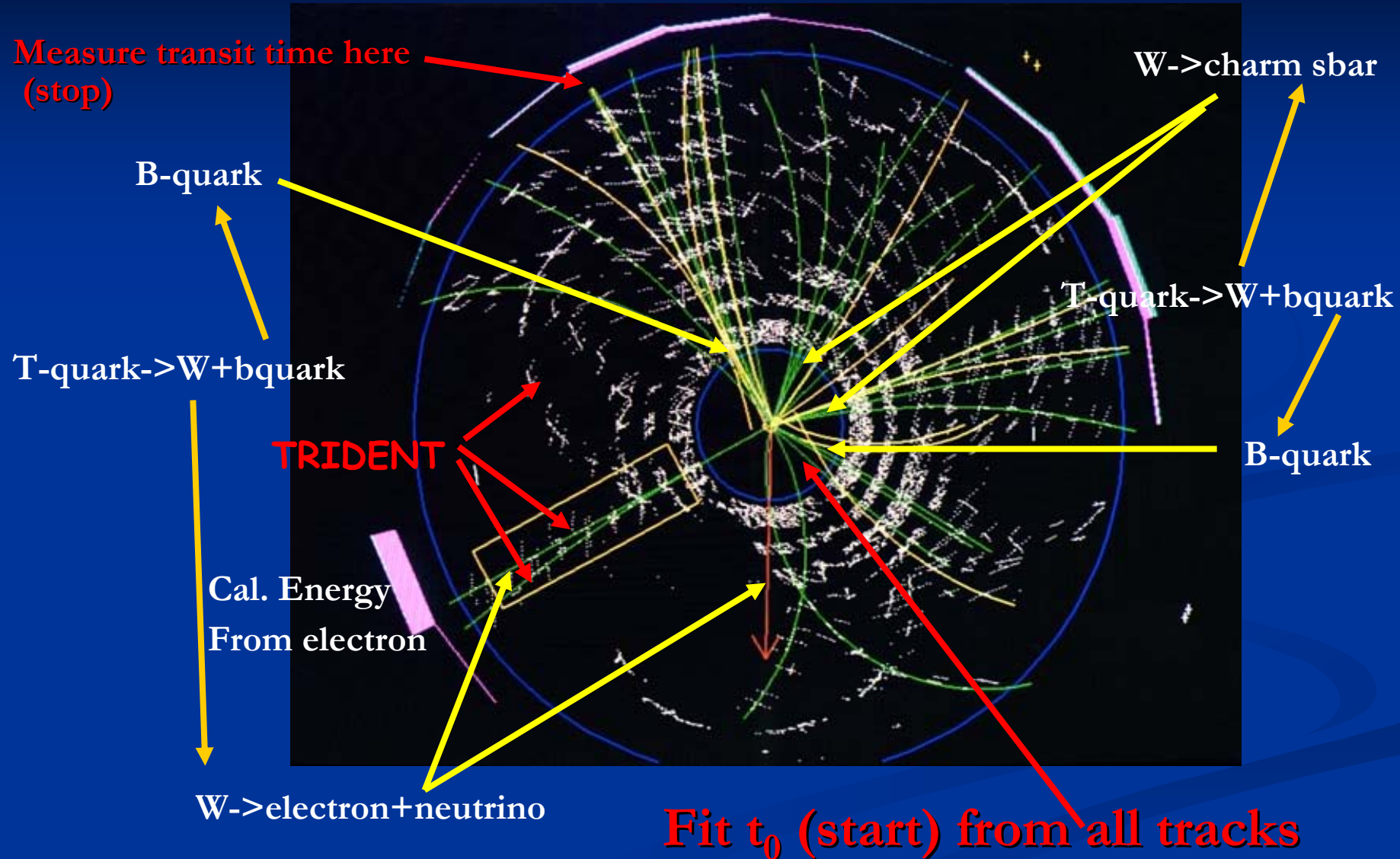
Jet Shape in eta-phi space (R)

Energy flow in  $|\Delta y|=0.7$

Really remarkable agreement with CTEQ PDF's - note  
# of decades, systematic uncertainty bands

# A real CDF Top Quark Event

$T\text{-}\bar{T} \rightarrow W^+bW^-b\bar{b}$



Can we follow the color flow through kaons, charm, bottom? **TOF!**





